

Why Bank Net Interest Margins Are Stable - Insights from the Asset Side

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Standard Bank Business Model

- Banks perform **maturity transformation**:

long-term fixed-rate assets	short-term liabilities
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- Main source of banks' profit is **net interest income (NII)**:
 - ▶ total interest income
 - ▶ minus total interest expenses
- Maturity transformation can expose banks to **interest rate risk**.

Net Interest Margin

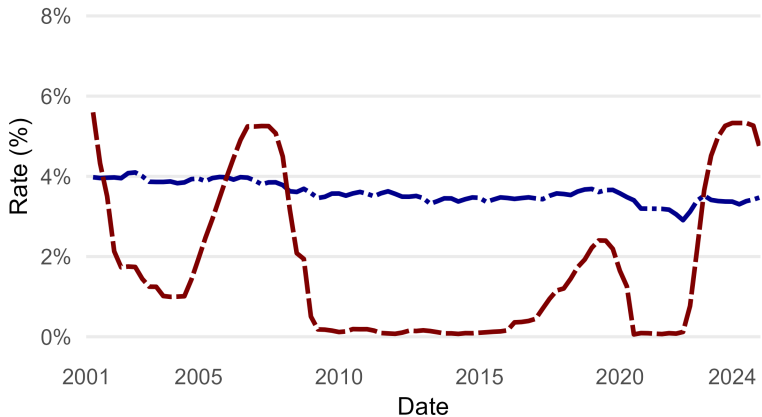
- A common measure to study a bank's exposure to interest rate risk is the **net interest margin (NIM)**:

$$\text{NIM} = \frac{\text{interest income} - \text{interest expense}}{\text{total assets}}$$

- NIM is negatively related to the short-term policy rate if interest expenses are more policy-rate sensitive than interest income
- However, the existing literature documents **stable NIM** for banks, e.g., Flannery (1981, JF), English (2002), and Drechsler, Savov, and Schnabl (2021, JF)

⇒ Bank profitability is not very exposed to interest rate risk

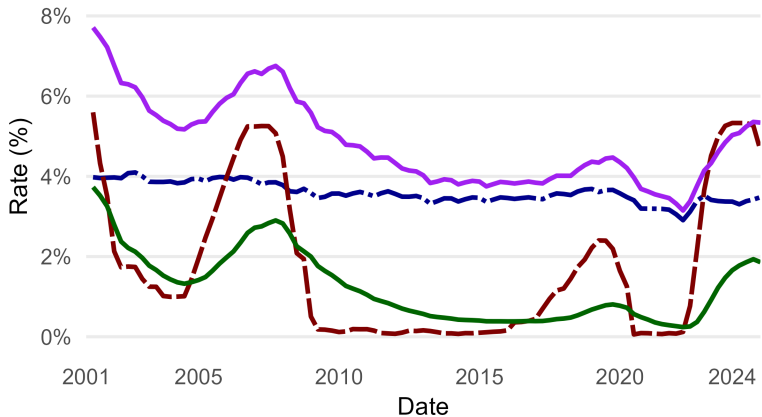
Stable Net Interest Margin



--- Federal Funds Rate -.- Net Interest Margin (NIM)

Data: US commercial bank Call Reports and the effective federal funds rate

Stable Net Interest Margin



--- Federal Funds Rate -.- NIM
— Interest Expense Rate — Interest Income Rate

Data: US commercial bank Call Reports and the effective federal funds rate

Why are NIM Stable Despite Maturity Transformation?

- Drechsler, Savov, and Schnabl (2021, JF), hereafter **DSS**:
Banks have **market power over deposits**
 - ▶ Deposit rates are low even as the policy rate rises
 - ▶ Banks' interest expense has a low sensitivity to interest rates
- **My paper**: Banks **actively manage assets** across rate environments
 - ▶ Without active management, interest income would be more policy-rate sensitive than interest expenses
 - ▶ Banks reach for yield when the policy rate falls
 - Stabilizes NIM but increases credit and duration risk

Contribution to the Literature

- Cash-flow perspective on interest rate risk:

Drechsler, Savov, and Schnabl (2021, JF), Begenau & Stafford (2025), Hoffman et al. (2019, RFS)

- Market-value perspective on duration risk:

Begenau et al. (2025), Jiang et al. (2024, JFE), Drechsler et al. (2025, JF)

- Risk-taking channel of monetary policy:

Maddaloni & Peydró (2011, RFS), Jiménez et al. (2014, Econometrica), Ioannidou et al. (2015, RF), Dell'Ariccia et al. (2017, JF), Paligorova & Santos (2017, JFI)

Results Indicate: Banks Target a Stable NIM

Potential Motives Include:

- **Earnings at Risk (EaR) management:**

"Our overall goal is to manage interest rate risk so that movements in interest rates do not significantly adversely affect earnings and capital."

— Bank of America, 2017 Annual Report

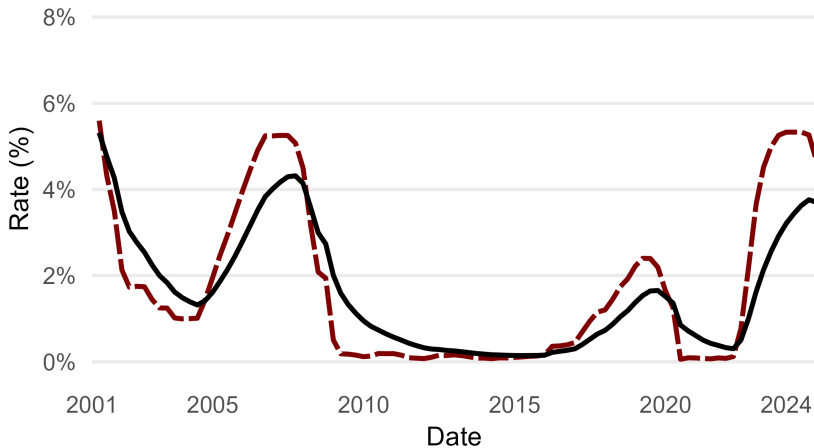
- **Earnings smoothing:**

- ▶ Acharya and Lambrecht (2015, RFS): pressure on bank managers to meet analysts' earnings expectations
- ▶ Graham et al. (2005, JAE): 78% of CFOs would sacrifice long-term value to meet earnings targets

Methodology

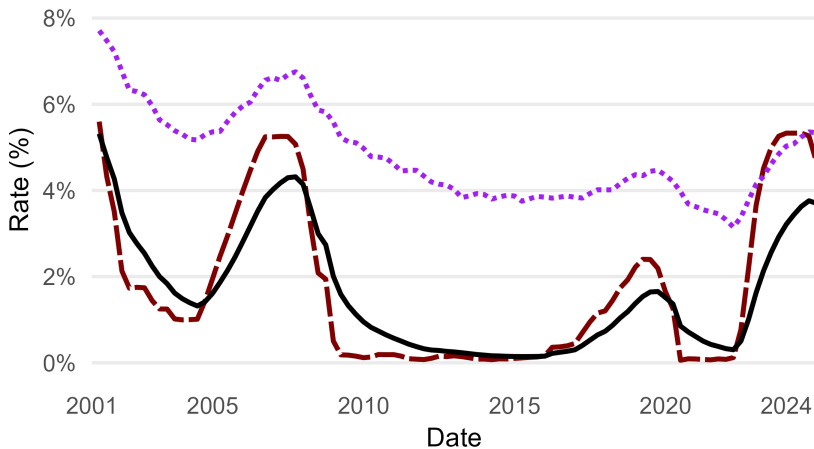
- Quarterly US bank **Call Reports**: 6,150 commercial banks, 1997-2024 (main sample 2001-2024)
- Key step: Decompose at bank level the **interest income rate** into a bank-specific **risk-free benchmark rate** and a **credit spread**
 - ① **Risk-free benchmark rate** is the **value-weighted average of federal funds rates** (FFR) prevailing when outstanding assets were priced
 - ② **Implied credit spread** is the difference between the interest income rate and the risk-free benchmark rate

Decomposing Banks' Interest Income Rate



--- Federal Funds Rate — Risk-Free Benchmark Rate

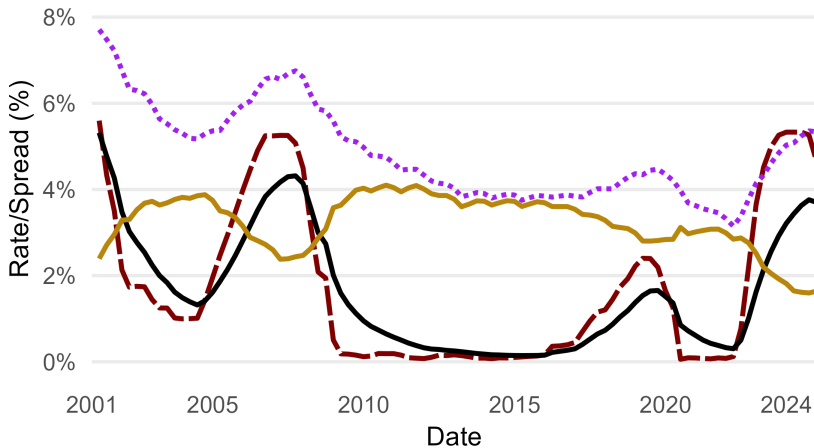
Decomposing Banks' Interest Income Rate



--- Federal Funds Rate
— Risk-Free Benchmark Rate

..... Interest Income Rate

Decomposing Banks' Interest Income Rate



- Federal Funds Rate
- Risk-Free Benchmark Rate
- ... Interest Income Rate
- Implied Credit Spread

Sensitivity Analysis

- Following DSS, I estimate for each bank i the NIM sensitivity:

$$\Delta \text{NIM}_{it} = \alpha_i + \sum_{\tau=0}^3 \beta_{i,\tau}^{\text{NIM}} \Delta f_{t-\tau} + \epsilon_{it}.$$

$$\beta_i^{\text{NIM}} = \sum_{\tau=0}^3 \beta_{i,\tau}^{\text{NIM}}.$$

and analogously the sensitivities for r^{exp} , r^{inc} , r_f^{bench} , s , $\text{NIM}^{\text{counter}}$

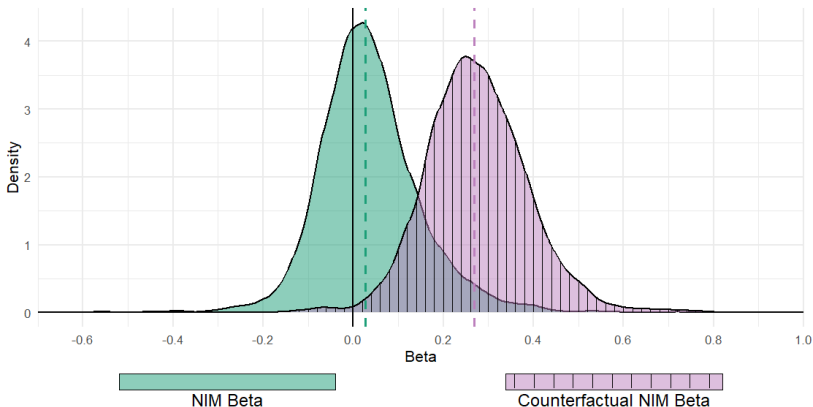
- Condition for a bank to have no interest rate risk:

$$\beta^{\text{NIM}} = 0$$

which is equivalent to

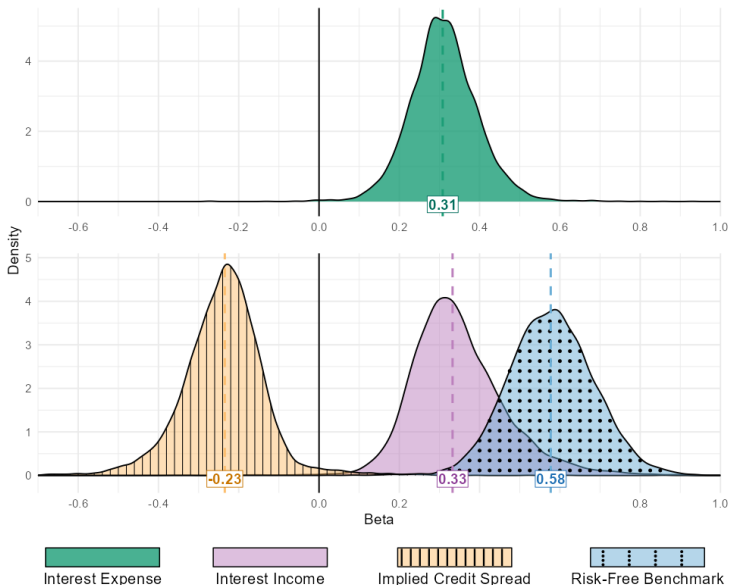
$$\begin{aligned} \beta^{\text{exp}} &= \beta^{\text{inc}} \\ &= \beta^{\text{bench}} + \beta^{\text{spread}} \end{aligned}$$

Distribution of Bank-Level NIM Sensitivities



- NIM sensitivity on avg. **4 bp** per 100 bp Δ FFR; stable for 76% of banks
- Counterfactual NIM sensitivity **28 bp** per 100 bp Δ FFR; positive and significant for 93% of banks

Distribution of Bank-Level Rate Sensitivities



Credit Spread Increases and Credit Risk

- **Default risk measure:**

$$\text{NP}_{i,t}^{(L+S)} = \frac{\text{Non-Performing Loans} + \text{Credit-Impaired Securities}}{\text{Total Assets}}$$

- **First-stage standardized implied credit spread changes:**

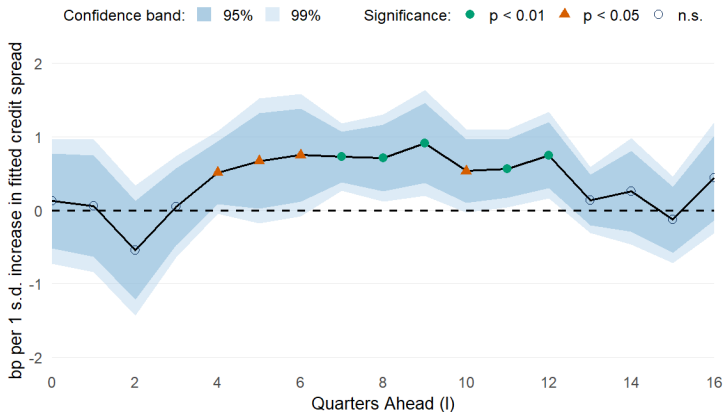
$$\hat{R}_{i,t} = \hat{\alpha}_i + \sum_{\tau=0}^3 \hat{\beta}_{i,\tau}^{\text{spread}} \Delta f_{t-\tau}, \quad z\hat{R}_{i,t} = \frac{\hat{R}_{i,t} - \bar{\hat{R}}_{i,\cdot}}{\text{sd}(\hat{R}_{i,\cdot})}$$

- **Second-stage local projections** ($\ell = 0, \dots, 16$):

$$\Delta \log(1 + \text{NP}_{i,t+\ell}^{(L+S)}) = \gamma_i + \psi_t + \delta_\ell z\hat{R}_{i,t-1} + u_{i,t+\ell}$$

- ▶ γ_i, ψ_t : bank and time fixed effects

Higher Credit Spreads Predict Increase in NP Ratio



- 1 s.d. credit spread increase (13 bp): cumulative NP increase $\approx$ 6 bp
- 100 bp FFR cut $\rightarrow$ 24 bp credit spread increase $\rightarrow \approx$ 11 bp (13%) NP increase

Cross-Sect.

Credit Spread Increases and Duration Risk

- **First-stage standardized implied credit spread changes:**

$$\hat{R}_{i,t} = \hat{\alpha}_i + \sum_{\tau=0}^3 \hat{\beta}_{i,\tau}^{\text{spread}} \Delta f_{t-\tau}, \quad z\hat{R}_{i,t} = \frac{\hat{R}_{i,t} - \overline{\hat{R}_{i,\cdot}}}{\text{sd}(\hat{R}_{i,\cdot})}$$

- **Second-stage contemporaneous estimates:**

$$\Delta Y_{i,t} = \gamma_i + \psi_t + \beta z\hat{R}_{i,t} + X'_{i,t}\theta + u_{i,t},$$

- ▶ $Y_{i,t}$: measures of duration risk and balance-sheet composition
- ▶ $X_{i,t} = \{\ln(\text{Assets}), \text{ROA}, \text{Equity}/\text{Assets}\}$
- ▶ γ_i, ψ_t : bank and time fixed effects

Credit Spread Increases and Duration Risk I

	Δ 1Y repricing gap (bp)		Δ 1Y short-term liabilities share (bp)		Δ 1Y short-term assets share (bp)	
	(1)	(2)	(3)	(4)	(5)	(6)
Δ Fitted Credit Spread	22.34*** (3.42)	22.81*** (3.59)	7.18*** (2.37)	7.63*** (2.55)	-15.17*** (1.90)	-15.17*** (1.90)
Controls	No	Yes	No	Yes	No	Yes
Bank & Time FE	Yes	Yes	Yes	Yes	Yes	Yes
Observations	495k	494k	495k	494k	495k	494k
R^2	0.47	0.49	0.55	0.59	0.03	0.03

Controls: $\ln(\text{Assets})$, ROA, Equity/Assets.

Two-way clustered standard errors (bank & time) in parentheses.

*** $p < 0.01$, ** $p < 0.05$, * $p < 0.1$.

- 100 bp policy rate cut $\rightarrow$ 24 bp credit spread increase $\rightarrow \approx$ 41 bp wider gap

Credit Spread Increases and Duration Risk II

	Δ Asset maturity (weeks)		Δ Sec maturity (weeks)		Δ Loan maturity (weeks)	
	(1)	(2)	(3)	(4)	(5)	(6)
Δ Fitted Credit Spread	0.45*** (0.10)	0.44*** (0.10)	0.19 (0.12)	0.18 (0.12)	0.03 (0.05)	0.03 (0.05)
Controls	No	Yes	No	Yes	No	Yes
Bank & Time FE	Yes	Yes	Yes	Yes	Yes	Yes
Observations	495k	494k	487k	486k	495k	493k
R^2	0.03	0.03	0.03	0.03	0.03	0.03

Controls: $\ln(\text{Assets})$, ROA, Equity/Assets.

Two-way clustered standard errors (bank & time) in parentheses.

*** $p < 0.01$, ** $p < 0.05$, * $p < 0.1$.

- 100 bp policy rate cut $\rightarrow$ 24 bp credit spread increase $\rightarrow \approx$ 0.83 week longer asset maturity

Credit Spread Increases and Asset Composition

	Δ Loans share (bp)		Δ Sec share (bp)		Δ Interbank share (bp)		Asset growth (bp)	
	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)
Δ Fitted Credit Spread	15.05*** (2.00)	14.29*** (1.91)	-31.48 (29.24)	-31.50 (29.32)	-28.33*** (2.64)	-27.76*** (2.60)	0.30 (3.29)	-2.12 (3.31)
Controls	No	Yes	No	Yes	No	Yes	No	Yes
Bank & Time FE	Yes	Yes	Yes	Yes	Yes	Yes	Yes	Yes
Observations	495k	494k	495k	494k	495k	494k	495k	494k
R^2	0.07	0.08	0.23	0.23	0.04	0.05	0.10	0.11

Controls: $\ln(\text{Assets})$, ROA, Equity/Assets.

Two-way clustered standard errors (bank & time) in parentheses.

*** $p < 0.01$, ** $p < 0.05$, * $p < 0.1$.

- 100 bp policy rate cut $\rightarrow$ 24 bp credit spread increase $\rightarrow \approx$ 28bp higher loan share

Conclusion

Banks actively **manage assets, keeping NIM stable**

- If credit spreads were constant, **NIM** ↓ when the federal funds rate ↓ (and ↑ when ↑)
- **Credit spreads** ↑ when the federal funds rate ↓ (and ↓ when ↑)
⇒ **NIM remains stable**
- Higher implied credit spreads → higher credit and duration risk

Policy implication: Interest rate risk should not be assessed in isolation from credit and duration risk in stress testing and capital frameworks

Thank you for your attention!

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Summary Statistics of Estimation Results

	Mean	SD	% Sig.	% Sig.+	% Sig.—	$\overline{R}^2$
Net interest margin (NIM)	0.037	0.140	24%	23%	9%	0.114
Interest expense	0.311	0.086	99%	99%	0%	0.600
Interest income	0.348	0.141	96%	97%	0%	0.308
Risk-free benchmark	0.579	0.113	100%	100%	0%	0.875
Credit spread	−0.238	0.128	86%	0%	90%	0.179
Counterfactual NIM	0.275	0.119	91%	93%	0%	0.338

Note. Quarterly data for U.S. commercial banks, 2001–2024.
Total banks: 6,150. Total observations: 495,439.

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[Asset Composition](#)
[Repricing Maturity Distribution](#)

Interest Income

- Accounting for assets that do not earn interest:

$$r_t^{\text{inc}} = \lambda_t \bar{r}_t^{\text{inc}}$$

- ▶ λ_t : share of interest-earning assets
- ▶ $\bar{r}_t^{\text{inc}}$: interest income rate on interest-earning assets

- Accounting for interest-earning assets that do not change their interest rate between $t - 1$ and t :

$$r_t^{\text{inc}} = \lambda_t \left(\eta_t \hat{r}_t^{\text{inc}} + (1 - \eta_t) \tilde{r}_t^{\text{inc}} \right)$$

- ▶ η_t : share of new and floating-rate assets
- ▶ $\hat{r}_t^{\text{inc}}$: interest income rate on new and floating-rate assets
- ▶ $(1 - \eta_t)$: share of pre-existing fixed-rate interest-earning assets
- ▶ $\tilde{r}_t^{\text{inc}}$: int. inc. rate on pre-existing fixed-rate interest-earning assets

Robustness

I conduct a battery of robustness tests, as follows:

- ① Asymmetry to federal funds rate increases and decreases Asymmetry FED
- ② Asymmetry to good and bad financial conditions Asymmetry FIN
- ③ Estimation on the loan- and security-level Loans & Secs
- ④ Focusing on the largest 10% and 5% of banks 10% 5%
- ⑤ Estimation at the top-tier bank holding company level Top-Tier
- ⑥ Estimation over the full sample (1997-2024) Full Horizon
- ⑦ Alternative constructions of r_f^{bench} Alt. Constr.
- ⑧ Alternative amortization and bucket weight assumptions Alt. Algos

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Change in Interest Income Rate

- One-period change in interest income rate between $t - 1$ and t :

$$\begin{aligned}
 \Delta r_t^{\text{inc}} &= \Delta (\lambda_t \bar{r}_t^{\text{inc}}) \\
 &= \lambda_{t-1} \Delta \bar{r}_t^{\text{inc}} + \bar{r}_t^{\text{inc}} \Delta \lambda_t \\
 &= \lambda_{t-1} \Delta (\eta_t \hat{r}_t^{\text{inc}} + (1 - \eta_t) \tilde{r}_t^{\text{inc}}) + \bar{r}_t^{\text{inc}} \Delta \lambda_t \\
 &= \lambda_{t-1} \eta_t \Delta \hat{r}_t^{\text{inc}} + \bar{r}_t^{\text{inc}} \Delta \lambda_t
 \end{aligned}$$

- Decomposition of changes in interest income rates:

$$\begin{aligned}
 \Delta r_t^{\text{inc}} &= \underbrace{\lambda_{t-1} \eta_t (f_t - r_{f,t-1}^{\text{bench},\eta})}_{\text{Risk-Free Benchmark}} + \underbrace{\lambda_{t-1} \eta_t (s_t^\eta - s_{t-1}^\eta)}_{\text{Credit Spread}} + \underbrace{\bar{r}_t^{\text{inc}} \Delta \lambda_t}_{\text{Asset Composition}} \\
 &= \Delta r_{f,t}^{\text{bench}} + \Delta s_t + \Delta \mathcal{A}_t
 \end{aligned}$$

Algorithm to Estimate $r_{f,t}^{\text{bench}}$

Algorithm broadly follows steps in Begenau et al. (2025).

- 1 **Initialize in 1997:Q2:** Treat all loans and securities as newly issued.
- 2 **Quarterly roll-down:** Move all outstanding positions one quarter closer to maturity or the next rate reset.
- 3 **Amortization and sales:** Assume linear principal amortization for loans, so amortization for securities, and allow premature sales when indicated by shifts across repricing maturity buckets.
- 4 **Rate assignment:** Assign the current federal funds rate as risk-free rate to new assets, resetting floating-rate assets, and interbank assets.
- 5 **Rate persistence:** Retain previously assigned rates for non-repricing assets.
- 6 **Risk-free benchmark:** Compute the value-weighted risk-free benchmark rate.

[Roll-Down Illustration](#)

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Summary Statistics: η Components

η (in %)			
η	$\eta^{\text{replacement}}$	η^{growth}	η^{floating}
36.74 (11.12)	18.83 (6.90)	1.60 (1.18)	16.28 (9.24)

Decomposition of $\eta^{\text{replacement}}$		
Scheduled Maturing	Amortizing	Pre-Maturing
9.87 (3.33)	6.23 (2.27)	2.73 (1.21)

Note. Mean shares of interest-earning assets adjusting per quarter.

- Average share of interest-earning assets: $\lambda = 93\%$
- On average, 34% of assets adjust their rate each quarter ($\lambda \times \eta$)
- Average repricing maturity of interest-earning assets: 3.8 years

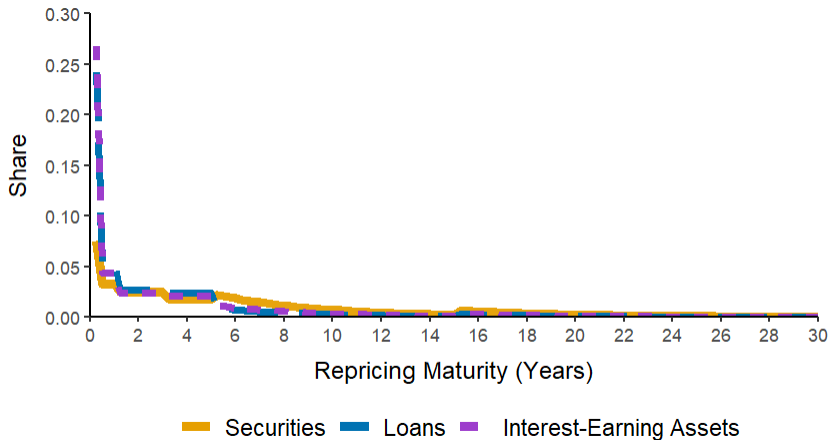
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Asset composition	0.007	0.037	5%	6%	3%	0.086
Counterfactual NIM	0.275	0.119	91%	93%	0%	0.338

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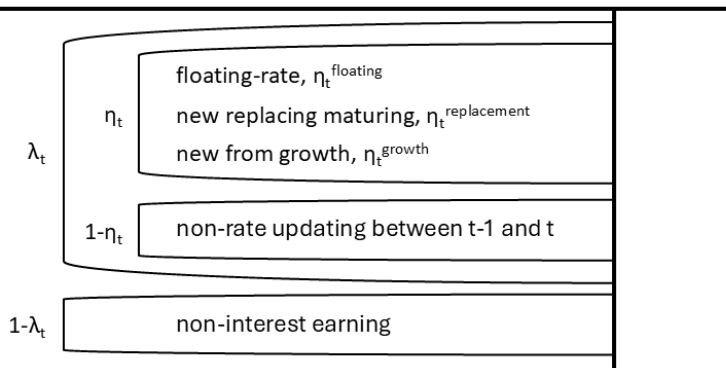
Repricing Maturities Distribution



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Asset Share

Assets



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Estimating Quarterly Changes

$$\Delta r_t^{\text{inc}} = \underbrace{\Delta r_{f,t}^{\text{bench}}}_{\text{Risk-Free Benchmark}} + \underbrace{\Delta s_t}_{\text{Credit Spread}} + \underbrace{\Delta \mathcal{A}_t}_{\text{Asset Composition}}$$

Estimation approach:

- 1 Estimate $\Delta r_{f,t}^{\text{bench}}$
- 2 Obtain $\Delta s_t = \Delta r_t^{\text{inc}} - \Delta r_{f,t}^{\text{bench}} - \Delta \mathcal{A}_t$

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Expansion

The decomposition follows from the expansion:

$$\begin{aligned}\Delta(\lambda_t \bar{r}_t^{\text{inc}}) &= \lambda_t \bar{r}_t^{\text{inc}} - \lambda_{t-1} \bar{r}_{t-1}^{\text{inc}} \\ &= \lambda_t \bar{r}_t^{\text{inc}} - \lambda_{t-1} \bar{r}_t^{\text{inc}} + \lambda_{t-1} \bar{r}_t^{\text{inc}} - \lambda_{t-1} \bar{r}_{t-1}^{\text{inc}} \\ &= \lambda_{t-1} \Delta \bar{r}_t^{\text{inc}} + \bar{r}_t^{\text{inc}} \Delta \lambda_t\end{aligned}$$

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Roll-Down Illustration: 1997:Q2 → 1997:Q3

Roll-Down for Securities (No Amortization)

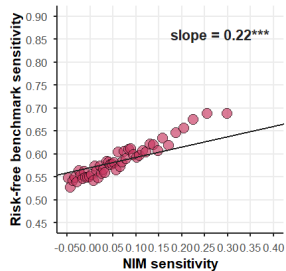
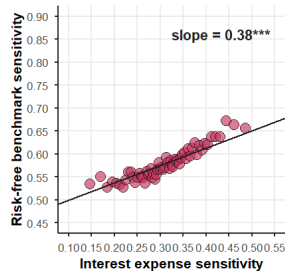
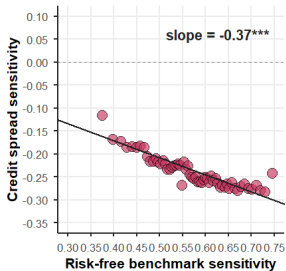
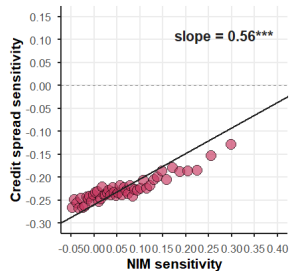
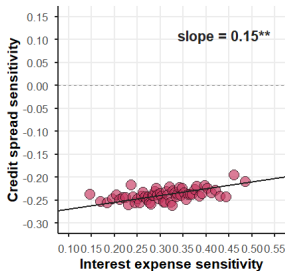
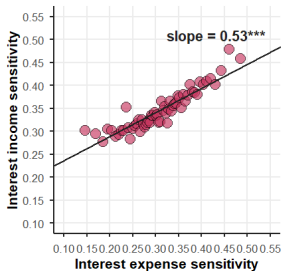
Quarter Q	1997:Q2		1997:Q3	
	Mass	$r_{f,97:Q2}^{\text{bench},QX}$	Mass	$r_{f,97:Q3}^{\text{bench},QX}$
1	$M_{97:Q2}^{Q1}$	$f_{97:Q2}$	$M_{97:Q3}^{Q1}$	$\frac{M_{97:Q2}^{Q2} f_{97:Q2} + (M_{97:Q3}^{Q1} - M_{97:Q2}^{Q2}) f_{97:Q3}}{M_{97:Q3}^{Q1}}$
2	$M_{97:Q2}^{Q2}$	$f_{97:Q2}$	$M_{97:Q3}^{Q2}$	$\frac{M_{97:Q2}^{Q3} f_{97:Q2} + (M_{97:Q3}^{Q2} - M_{97:Q2}^{Q3}) f_{97:Q3}}{M_{97:Q3}^{Q2}}$
3	$M_{97:Q2}^{Q3}$	$f_{97:Q2}$	$M_{97:Q3}^{Q3}$	$\frac{M_{97:Q2}^{Q4} f_{97:Q2} + (M_{97:Q3}^{Q3} - M_{97:Q2}^{Q4}) f_{97:Q3}}{M_{97:Q3}^{Q3}}$
...	...	...	...	...

Note: Mass rolls down one bin per quarter.

→ Broadly follows roll-down algorithm in *Begenau, Piazzesi and Schneider (2025)*

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Cross-Sectional Comparison of Bank-Level Sensitivities



Asymmetric Sensitivities to Fed Changes

- To allow for asymmetric responses, I also estimate separate sensitivities for increases and decreases in the policy rate:

$$\Delta X_{it} = \alpha_i + \sum_{\tau=0}^3 \beta_{i,\tau}^{X,+} \Delta f_{t-\tau} \mathbf{1}\{\Delta f_{t-\tau} > 0\} \\ + \sum_{\tau=0}^3 \beta_{i,\tau}^{X,-} \Delta f_{t-\tau} \mathbf{1}\{\Delta f_{t-\tau} \leq 0\} + \epsilon_{it},$$

$$\beta_i^{X,+} = \sum_{\tau=0}^3 \beta_{i,\tau}^{X,+}, \quad \beta_i^{X,-} = \sum_{\tau=0}^3 \beta_{i,\tau}^{X,-}.$$

Summary Statistics of Estimation Results

	Positive Δf			Negative Δf		
	Mean	SD	% Sig.	Mean	SD	% Sig.
Net interest margin (NIM)	0.073	0.237	25%	0.023	0.184	16%
Interest expense	0.405	0.156	98%	0.265	0.100	93%
Interest income	0.478	0.237	93%	0.288	0.186	80%
Risk-free benchmark	0.637	0.204	100%	0.561	0.115	100%
Credit spread	-0.244	0.262	40%	-0.253	0.199	71%
Counterfactual NIM	0.317	0.243	68%	0.277	0.160	77%

Note. Quarterly data for U.S. commercial banks, 2001–2024.

Total banks: 6,150. Total observations: 495,439.

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Asymmetric Sensitivities to Financial Conditions

- The Chicago Fed's Adjusted National Financial Conditions Index (ANFCI) summarizes aggregate conditions in U.S. money markets, credit markets, and the shadow banking system, excluding contemporaneous macroeconomic conditions.
- I estimate per-bank sensitivities separately for looser ($\text{ANFCI} \leq 0$) versus tighter ($\text{ANFCI} > 0$) financial conditions:

$$\Delta X_{it} = \alpha_i + \sum_{\tau=0}^3 \beta_{i,\tau}^{X,\text{good}} \Delta f_{t-\tau} \mathbf{1}\{\text{ANFCI}_{t-\tau} \leq 0\} \\ + \sum_{\tau=0}^3 \beta_{i,\tau}^{X,\text{bad}} \Delta f_{t-\tau} \mathbf{1}\{\text{ANFCI}_{t-\tau} > 0\} + \epsilon_{it},$$

$$\beta_i^{X,\text{good}} = \sum_{\tau=0}^3 \beta_{i,\tau}^{X,\text{good}}, \quad \beta_i^{X,\text{bad}} = \sum_{\tau=0}^3 \beta_{i,\tau}^{X,\text{bad}}.$$

Summary Statistics of Estimation Results: ANFCI

	Good conditions			Bad conditions		
	Mean	SD	% Sig.	Mean	SD	% Sig.
Net interest margin (NIM)	0.034	0.187	23.5%	-0.013	5.327	14.5%
Interest expense	0.362	0.115	99.5%	0.207	0.519	37.8%
Interest income	0.396	0.193	94.9%	0.195	4.860	31.0%
Risk-free benchmark	0.595	0.131	99.9%	0.570	0.383	95.2%
Credit spread	-0.187	0.190	66.7%	-0.377	5.066	49.0%

Note. Quarterly data for U.S. commercial banks, 2001–2024.

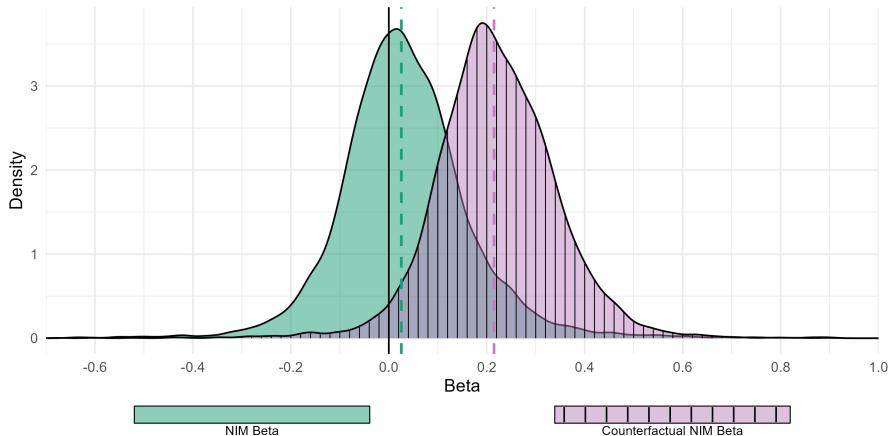
Financial conditions measured using the Chicago Fed's Adjusted National Financial Conditions Index (ANFCI).

Total banks: 6,150. Total observations: 495,439.

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Distribution of Bank-Level NIM Sensitivities

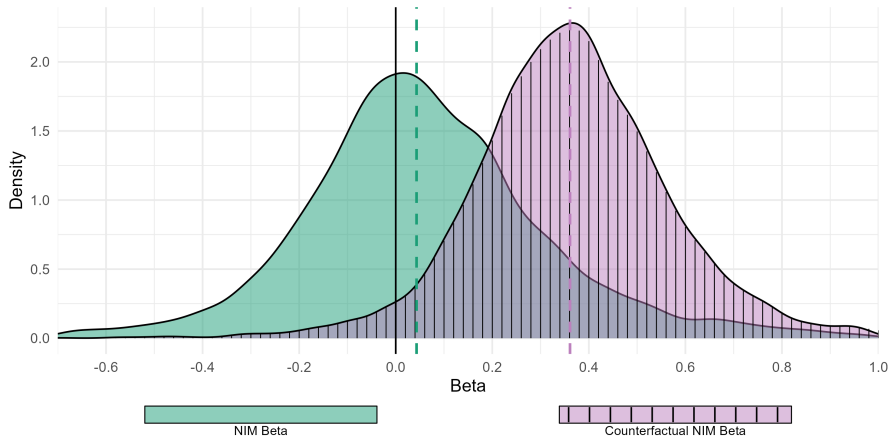
Good Financial Conditions



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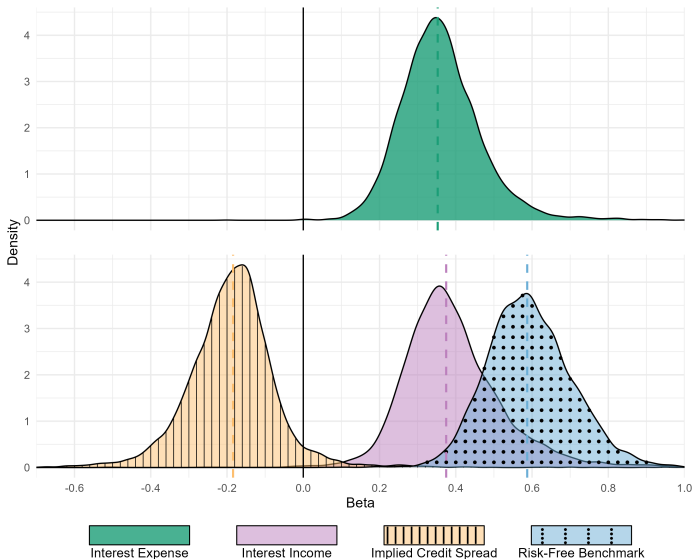
Distribution of Bank-Level NIM Sensitivities

Bad Financial Conditions

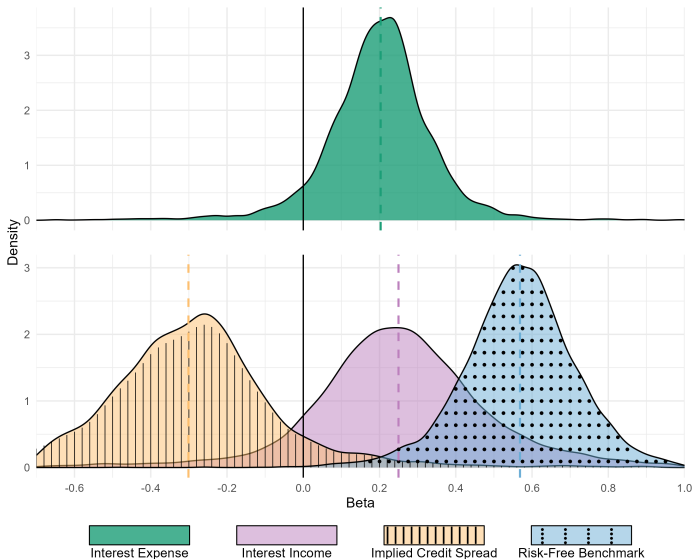


Distribution of Bank-Level Sensitivities

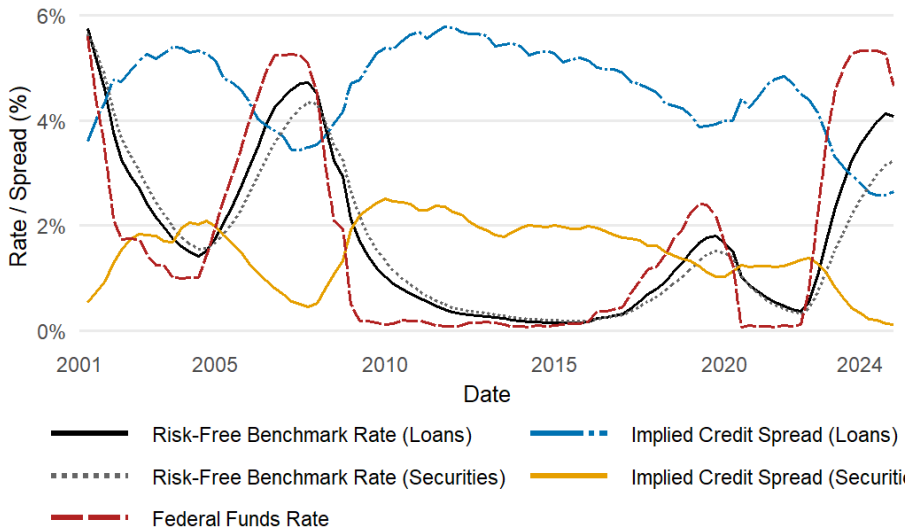
Good Financial Conditions



Distribution of Bank-Level Sensitivities Bad Financial Conditions



Loan- and Security-Level Sensitivities



Summary Statistics of Loan- and Security-Level Sensitivities

	Mean	SD	% Sig.	% Sig.+	% Sig.—	$\overline{R}^2$
Loans						
Interest income	0.331	0.175	89%	91%	0%	0.243
Risk-free benchmark	0.699	0.102	100%	100%	0%	0.907
Credit spread	−0.368	0.152	94%	0%	96%	0.260
Securities						
Interest income	0.194	0.288	38%	48%	0%	0.131
Risk-free benchmark	0.556	0.146	100%	100%	0%	0.647
Credit spread	−0.364	0.298	80%	0%	86%	0.182

Note. Quarterly data for U.S. commercial banks, 2001–2024.

Total banks: 6,150. Total observations: 495,439.

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Summary Statistics Largest 10% of Banks

	Mean	SD	% Sig.	% Sig.+	% Sig.—	$\bar{R}^2$
Net interest margin (NIM)	0.027	0.124	24%	21%	11%	0.131
Interest expense	0.369	0.099	98%	99%	0%	0.661
Interest income	0.396	0.134	96%	97%	0%	0.426
Risk-free benchmark	0.582	0.108	100%	100%	0%	0.896
Credit spread	-0.185	0.114	81%	1%	85%	0.213
Counterfactual NIM	0.212	0.117	84%	88%	1%	0.399

Note. Quarterly data for U.S. commercial banks, 2001–2024.

Total banks: 6,150. Total observations: 495,439.

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Summary Statistics Largest 5% of Banks

	Mean	SD	% Sig.	% Sig.+	% Sig.—	$\bar{R}^2$
Net interest margin (NIM)	0.030	0.139	19%	19%	10%	0.137
Interest expense	0.388	0.107	98%	100%	0%	0.663
Interest income	0.418	0.146	95%	96%	0%	0.445
Risk-free benchmark	0.576	0.109	100%	100%	0%	0.895
Credit spread	-0.156	0.124	74%	1%	79%	0.203
Counterfactual NIM	0.186	0.119	81%	85%	2%	0.374

Note. Quarterly data for U.S. commercial banks, 2001–2024.

Total banks: 6,150. Total observations: 495,439.

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Summary Statistics Alternative Algos

	Mean	SD	% Sig.	% Sig.+	% Sig.−	$\overline{R}^2$
Risk-free benchmark sensitivity						
Geometric amortization	0.575	0.113	100%	100%	0%	NA
No loan amortization	0.490	0.117	100%	100%	0%	NA
No exponential weights	0.577	0.115	100%	100%	0%	NA
Credit spread sensitivity						
Geometric amortization	−0.234	0.128	86%	0%	85%	NA
No loan amortization	−0.149	0.123	61%	0%	60%	NA
No exponential weights	−0.237	0.129	86%	0%	86%	NA

Note. Quarterly data for U.S. commercial banks, 2001–2024.

Total banks: 6,150. Total observations: 495,439.

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Summary Statistics 1997-2024

	Mean	SD	% Sig.	% Sig.+	% Sig.—	$\bar{R}^2$
Net interest margin (NIM)	0.036	0.141	26%	23%	10%	0.111
Interest expense	0.322	0.089	99%	99%	0%	0.575
Interest income	0.358	0.143	96%	97%	0%	0.300
Risk-free benchmark	0.584	0.112	100%	100%	0%	0.867
Credit spread	−0.237	0.129	84%	0%	88%	0.161
Counterfactual NIM	0.273	0.122	90%	93%	0%	0.292

Note. Quarterly data for U.S. commercial banks, 2001–2024.

Total banks: 6,150. Total observations: 495,439.

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Summary Statistics Top-Tier BHC and Commercial Banks

	Mean	SD	% Sig.	% Sig.+	% Sig.—	$\bar{R}^2$
Net interest margin (NIM)	0.050	0.134	27%	26%	8%	0.131
Interest expense	0.311	0.098	97%	98%	0%	0.595
Interest income	0.361	0.144	95%	96%	0%	0.340
Risk-free benchmark	0.573	0.118	100%	100%	0%	0.878
Credit spread	-0.221	0.131	83%	1%	86%	0.201
Counterfactual NIM	0.271	0.130	90%	92%	0%	0.399

Note. Quarterly data for U.S. commercial banks, 2001–2024.

Total banks: 6,150. Total observations: 495,439.

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Summary Statistics Alternative Constructions

	Mean	SD	% Sig.	% Sig.+	% Sig.−	$\overline{R}^2$
Risk-free benchmark sensitivity						
Baseline (λ_{t-1})	0.579	0.113	100%	100%	0%	0.875
Robust (λ_t)	0.579	0.106	100%	100%	0%	0.874
Algorithm	0.637	0.094	100%	100%	0%	0.898 <i>Note.</i>
Credit spread sensitivity						
Baseline (λ_{t-1})	−0.238	0.128	86%	0%	90%	0.179
Robust (λ_t)	−0.238	0.126	87%	0%	90%	0.180
Algorithm	−0.296	0.122	93%	0%	95%	0.217

Quarterly data for U.S. commercial banks, 2001–2024.

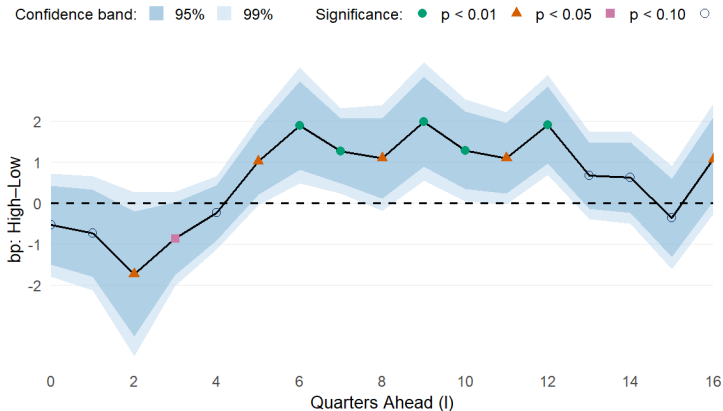
Total banks: 6,150. Total observations: 495,439.

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Higher CS Credit Spreads Predict Increase in NP Ratio

$$\Delta \log(1 + \text{NP}_{i,t+\ell}^{(L+S)}) = \gamma_i + \psi_t + \beta_\ell H_{i,t} + u_{i,t+\ell},$$

$$H_{i,t} = 1 \text{ if } z\hat{R}_{i,t} \geq Q_{0.75}(z\hat{R}_{\cdot,t}), H_{i,t} = 0 \text{ if } z\hat{R}_{i,t} \leq Q_{0.25}(z\hat{R}_{\cdot,t})$$



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Interest Expense Side

- Funding composition:

- ▶ fraction δ of deposits obtained at rate r_t^d
 - ▶ fraction γ of wholesale funding obtained at rate f_t
 - ▶ fraction $(1 - \delta - \gamma)$ of equity
- $\delta, \gamma \geq 0$ and $\delta + \gamma \leq 1$

- Interest expense rate:

$$r_t^{\text{exp}} = \delta r_t^d + \gamma f_t$$

- Interest expense rate sensitivity to changes in the fed funds rate:

$$\frac{\Delta r_t^{\text{exp}}}{\Delta f_t} = \delta \frac{\Delta r_t^d}{\Delta f_t} + \gamma$$

Interest Expense Rate Sensitivity

- Sticky deposit rates:

$$\frac{\Delta r_t^d}{\Delta f_t} < 1$$

- Positive equity:

$$\delta + \gamma < 1$$

- Implication for the interest expense rate sensitivity:

$$\frac{\Delta r_t^{\text{exp}}}{\Delta f_t} < 1$$

→ Interest expenses do not reprice one-to-to one with changes in the fed funds rate.