

# The International Propagation of News Shocks

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## 1. Motivation

- Long lasting interest in Macroeconomics for changes in expectations in explaining business cycles (Pigou, Keynes, Learning, Sunspots,...)
- Newest embodiment: News shocks:

**data** : Beaudry & Portier [2006, AER; 2005, JJE], Haertel & Lucke [2007],

**models** : [Beaudry & Portier [2004, JME; 2007, JET], Christiano, Rostagno & Motto [2005], Jaimovich & Rebelo [2006, 2007], Den Haan & Kaltenbrunner [2006], Beaudry, Portier & Collard [2007], [Karel Mertens \[2007\]](#)]

- Technological News Shocks: Short run demand shock, Long run supply shock
- A source of international fluctuations? : this paper.

## 1.1. Business cycle comovements

- $Y, C, I, H$  are positively correlated with each other within developed countries, at business cycle frequencies  $\rightsquigarrow$  National Business Cycle (NBC)
- $Y, C, I, H$  are pairwise positively correlated among developed countries, at business cycle frequencies  $\rightsquigarrow$  International Business Cycle (IBC)
- Which combination(s) of impulses and propagation mechanisms can help understand these business cycle co-movements?

## 1.2. The effects of technological shocks

- The international RBC literature faces huge difficulties to account for international comovements.
- Local technology shocks imply reallocation of mobile inputs  $\rightsquigarrow$  negative comovements unless almost perfectly correlated shocks.
- “Demand” shocks might help. Wen [2006, Jecd]

### 1.3. The nature of technological shocks

- The usual assumption is that technology shocks are surprises.
- Beaudry & Portier [2006, Aer] show that (permanent) technology improvements diffuse slowly over time, and are forecastable to a large extent.
- In the short-run, these news shock stimulate the demand for investment goods, and might not trigger reallocation.

## Outline of the Talk

1. Motivation
2. The Propagation of News Shocks : Facts
3. NBC and IBC in a canonical model
4. A Two-Country Pigou Model

## 2. The Propagation of News Shocks: Facts

### 2.1. Conditional moments

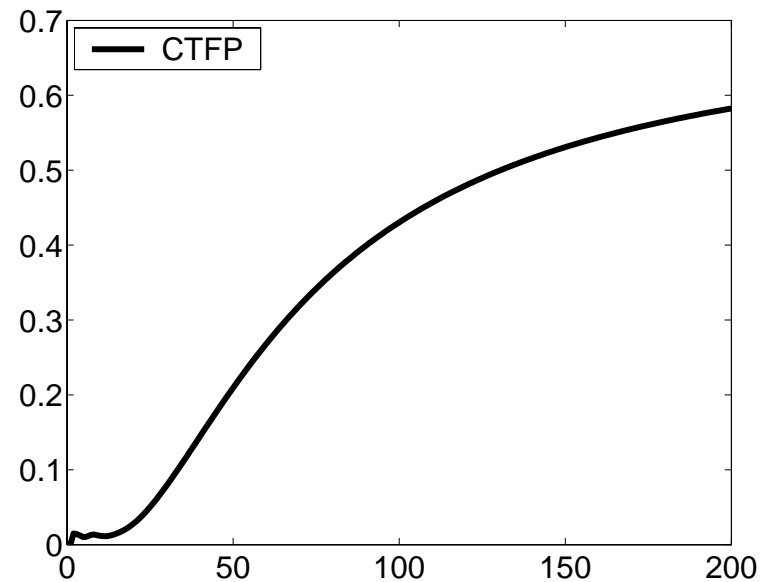
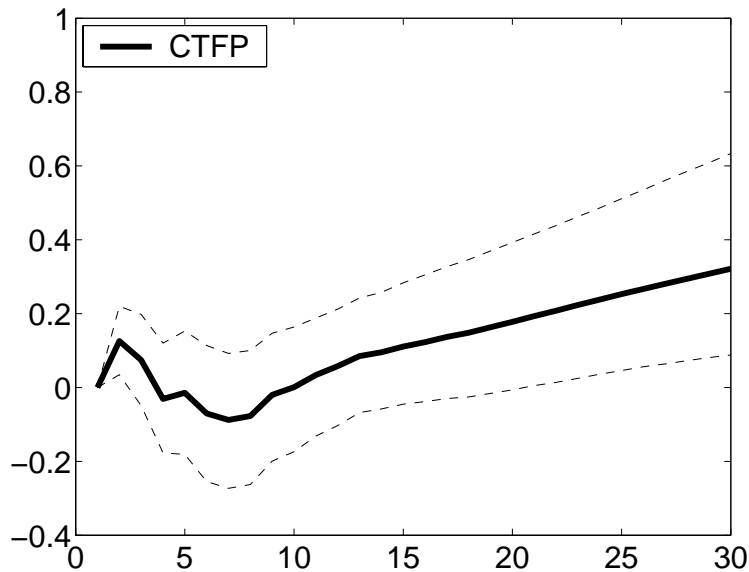
- If technological change diffuses slowly over time, 'forward' variables may react faster than usual indicators of technology.
- We identify news shock using TFP (corrected for utilization) and stock market capitalization ( $SP$ )

- BP 2006:  $\begin{pmatrix} \Delta TFP_{i,t} \\ \Delta SP_{i,t} \end{pmatrix} = A(L) \begin{pmatrix} \varepsilon_{1,t} \\ \varepsilon_{2,t} \end{pmatrix}$  with  $A(0) = \begin{pmatrix} 0 & \times \\ \times & \times \end{pmatrix}$ .

- The news shock  $\varepsilon_{1,t}$  has no impact on TFP in country  $i$ ;

- The shock  $\varepsilon_{2,t}$  is unrestricted.

*Response to a news shock, USA*





- Here 
$$\begin{pmatrix} \Delta TFP_{i,t} \\ \Delta SP_{i,t} \\ X_{j,t} \end{pmatrix} = \tilde{A}(L) \begin{pmatrix} \varepsilon_{1,t} \\ \varepsilon_{2,t} \\ \varepsilon_{3,t} \end{pmatrix} \text{ with } \tilde{A}(0) = \begin{pmatrix} 0 & \times & \times \\ \times & \times & \times \\ 0 & 0 & \times \end{pmatrix}.$$

- The news shock  $\varepsilon_{1,t}$  has no impact on TFP in country  $i$ ;

- The shock  $\varepsilon_{2,t}$  is unrestricted.

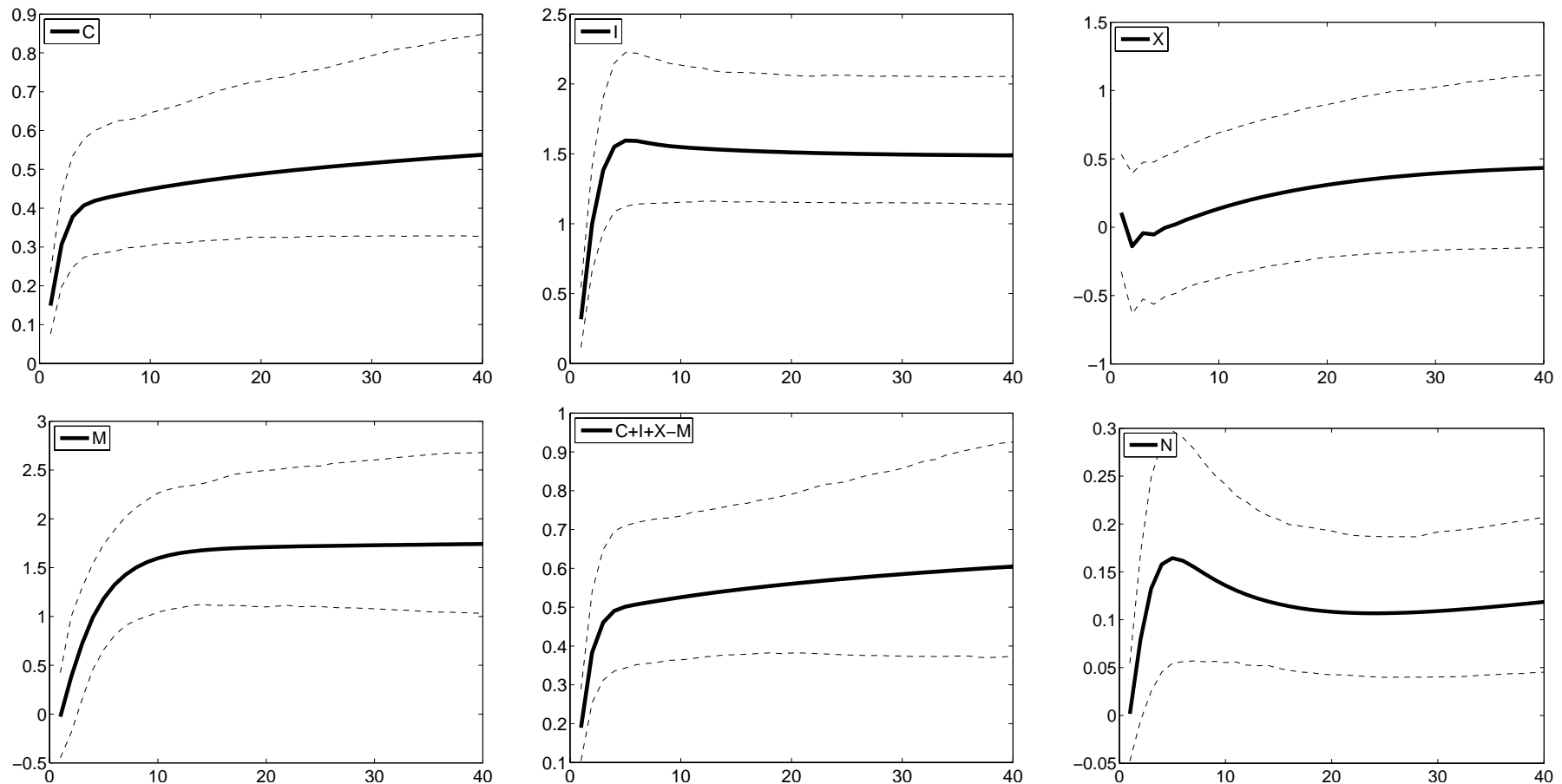
- The third shock  $\varepsilon_{3,t}$  is a  $X_{j,t}$  specific shock.

- The other country is chosen to be close and small.

## 2.2. US news shocks and their propagation

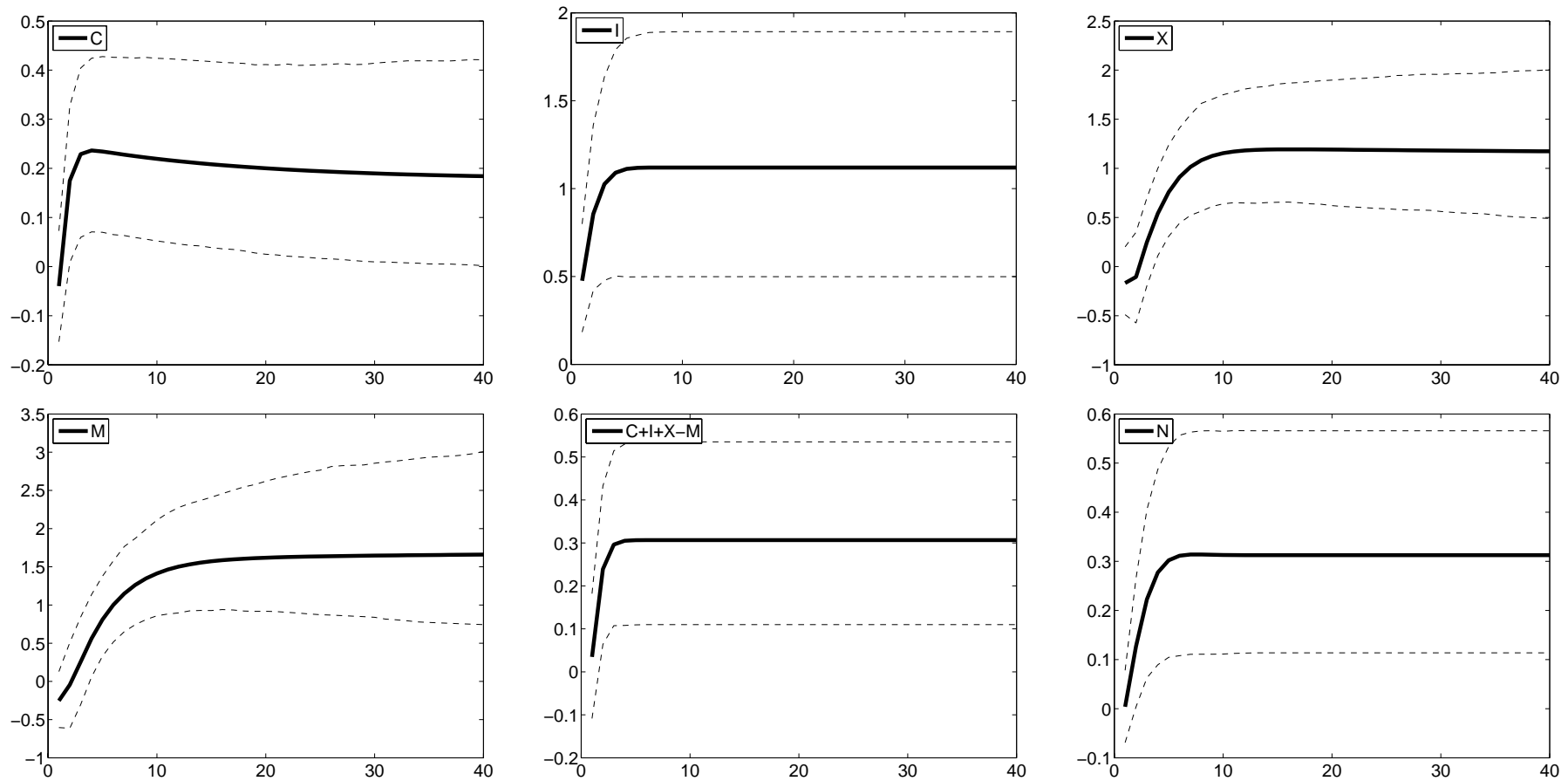
- A news shock triggers an expansion in the US...

*Response to a news shock, USA*



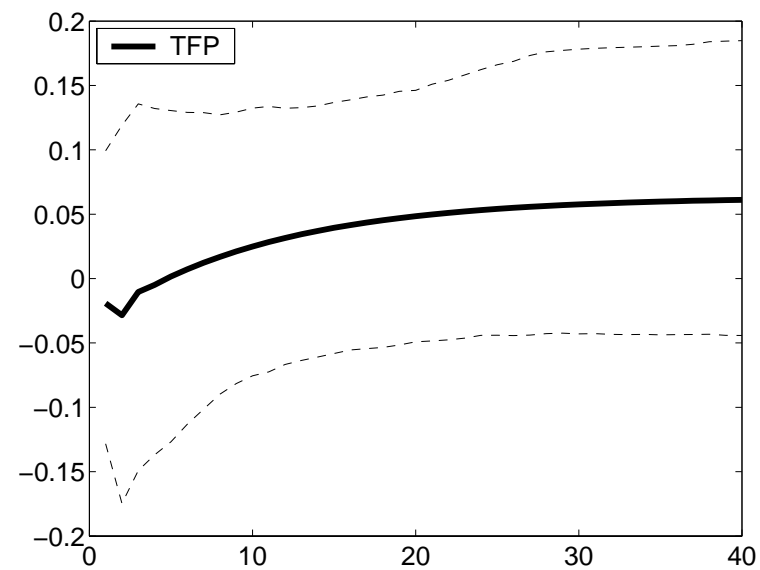
- ...as well as in Canada.

*Response of Canadian aggregates to a news on US TFP*



- The shock we have identified *is not* a Canadian TFP shock.

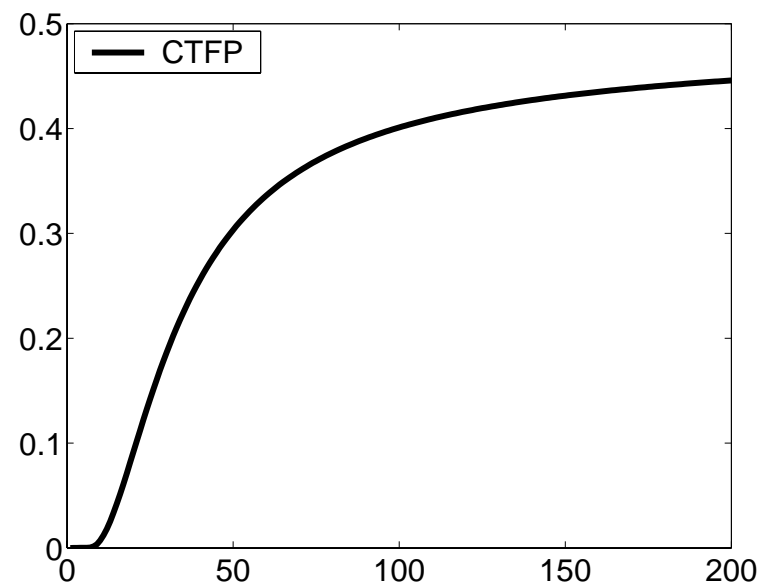
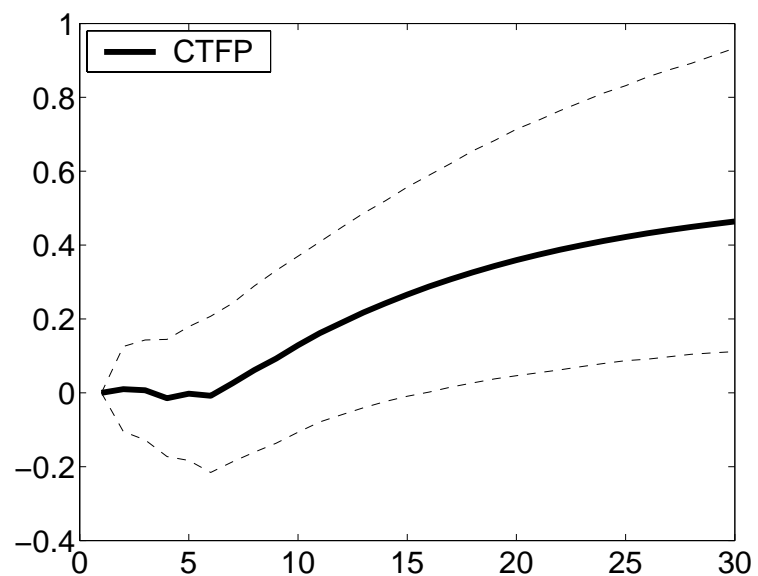
*Response of Canadian TFP to a News on U.S. TFP*



## 2.3. German news shocks and their propagation

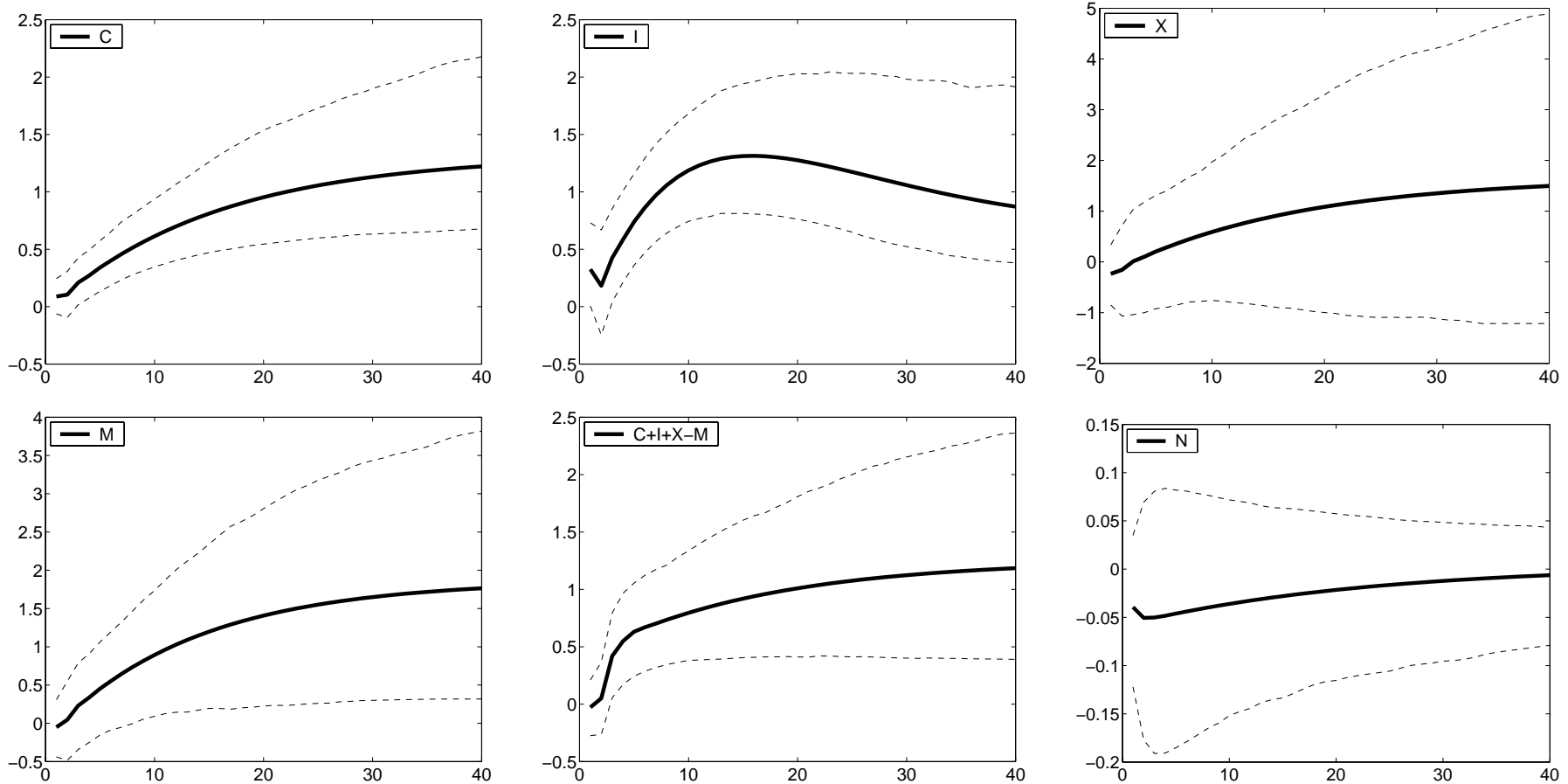
- German data are from Haertel & Lucke [2006].
- Same qualitative results.

*Response to a news shock, Germany*



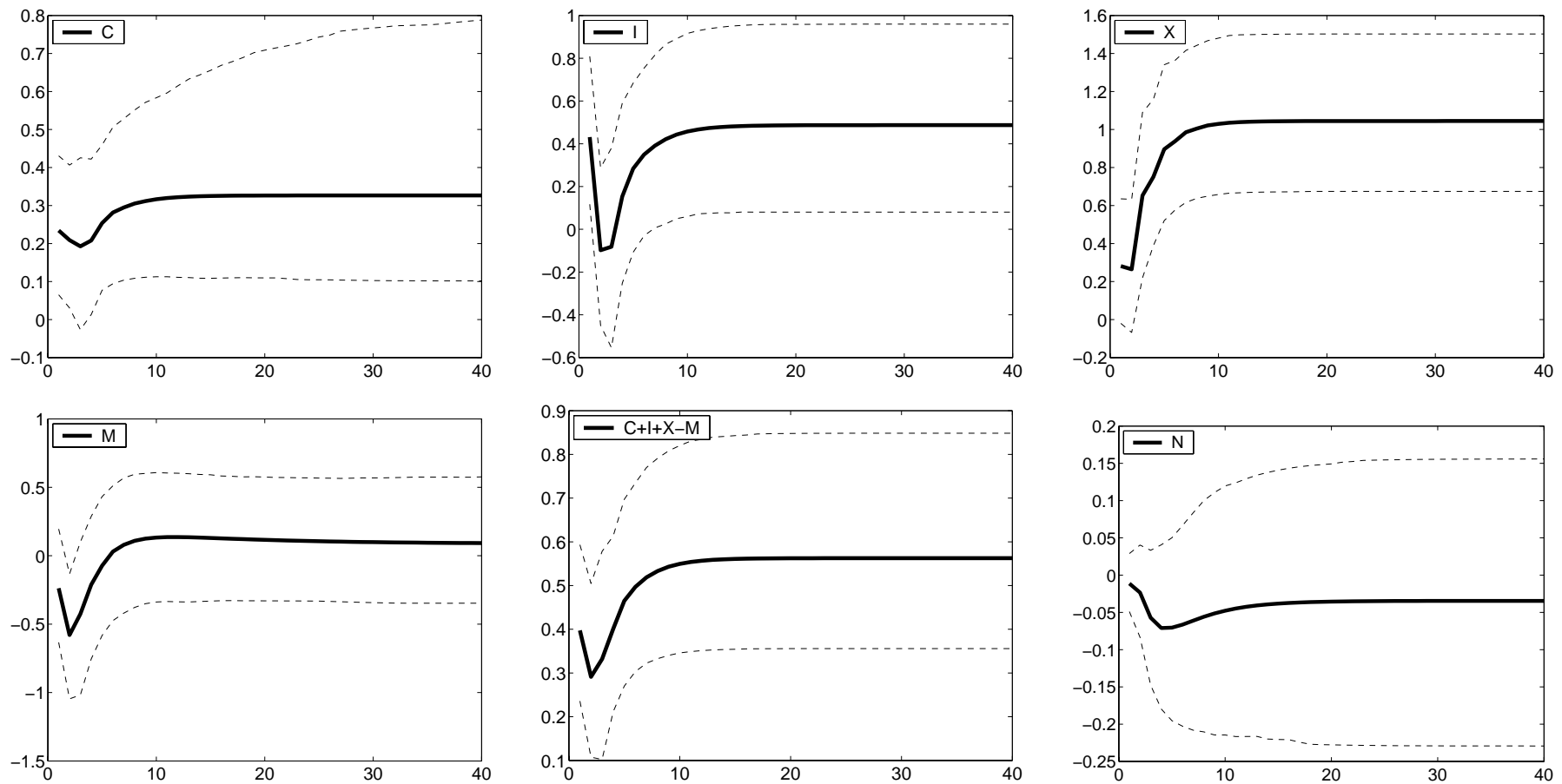
- Again a news shock triggers an expansion in Germany...

*Response to a news shock, Germany*



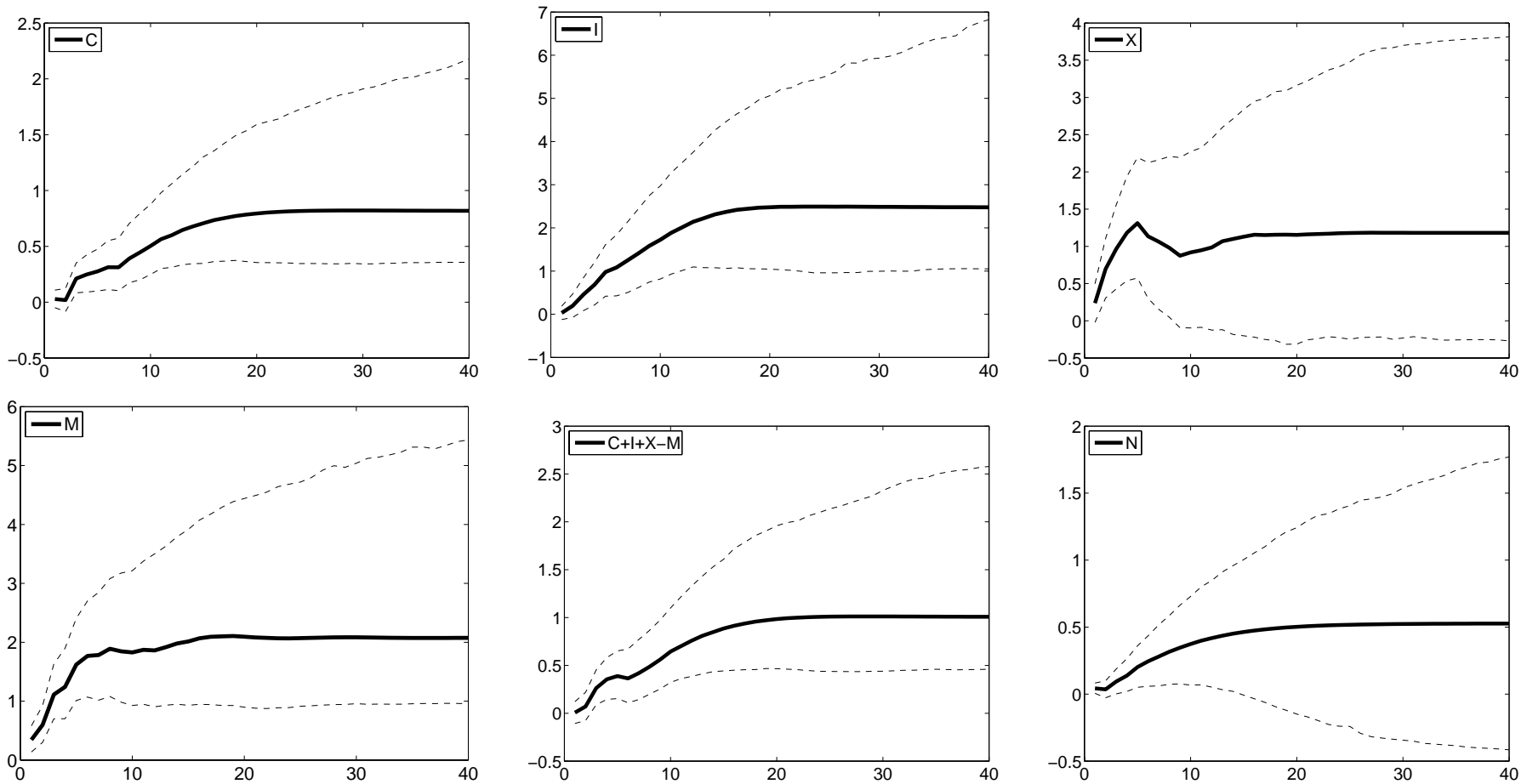
- ... as well as in Austria,

*Response of Austrian aggregates to a German News Shock*



- ... in France,

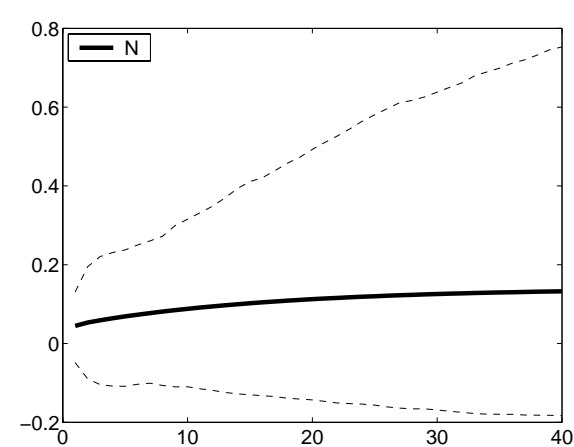
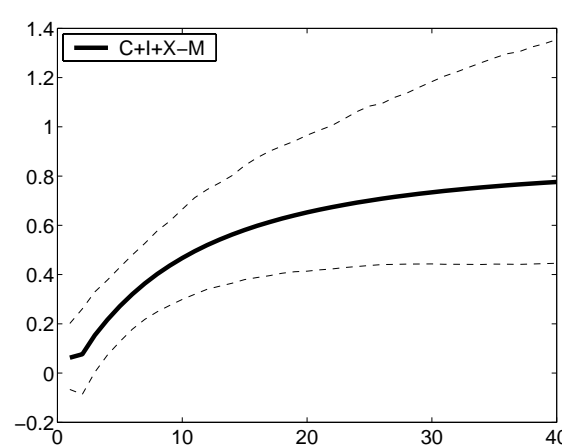
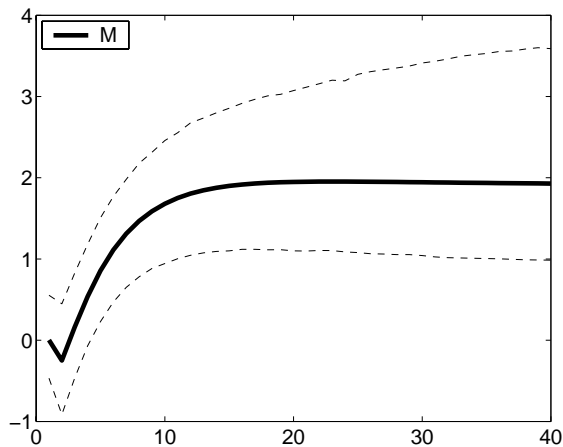
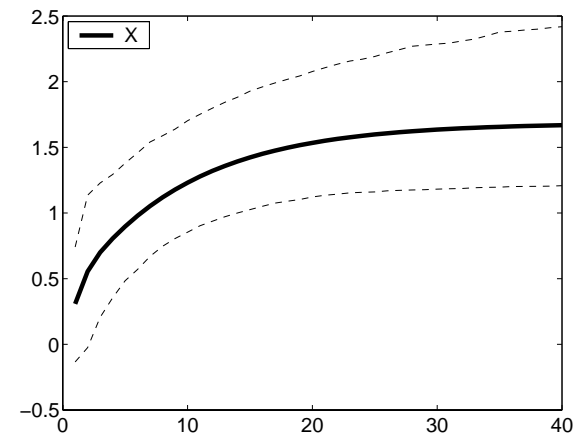
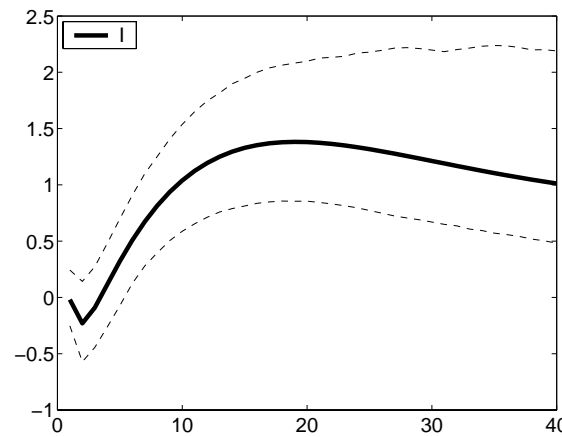
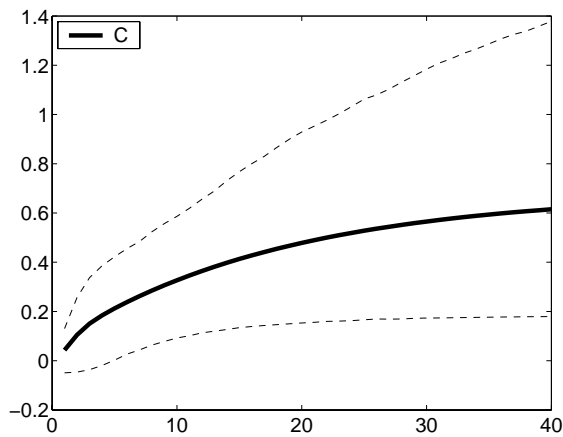
*Response of French aggregates to a News on German TFP*





- ... and in Italy.

*Response of Italian aggregates to a News on German TFP*



## 2.4. What have we learned?

- Conditional on news to future TFP, main macro aggregates display strong comovements across countries.
- We now try to account for these findings.

### 3. NBC and IBC in a canonical model

- Here we show that in a canonical model, news shocks are a IBC driving force...
- but they cannot produce NBC.

### 3.1. The model

- A 2-country, 1-good economy. The economy is hit by technology shocks  $\theta_{A,t}$  and  $\theta_{B,t}$ . Capital quantity and location are predetermined.
- Choose  $\{C_{j,t}, H_{j,t}, I_{j,t}, K_{j,t+1}\}_{j=A,B}$  in order to

$$\max E_0 \sum_{t=0}^{+\infty} \beta^t \left[ U(C_{A,t}, 1 - H_{A,t}) + U(C_{B,t}, 1 - H_{B,t}) \right]$$

subject to

$$\left\{ \begin{array}{l} K_{A,t+1} \leq (1 - \delta) K_{A,t} + I_{A,t} \\ K_{B,t+1} \leq (1 - \delta) K_{B,t} + I_{B,t} \\ C_{A,t} + C_{B,t} + I_{A,t} + I_{B,t} \leq \underbrace{F(K_{A,t}, H_{A,t}; \theta_{A,t})}_{Y_{A,t}} + \underbrace{F(K_{B,t}, H_{B,t}; \theta_{B,t})}_{Y_{B,t}} \\ K_{A,0} = K_{B,0} \text{ given} \end{array} \right. .$$

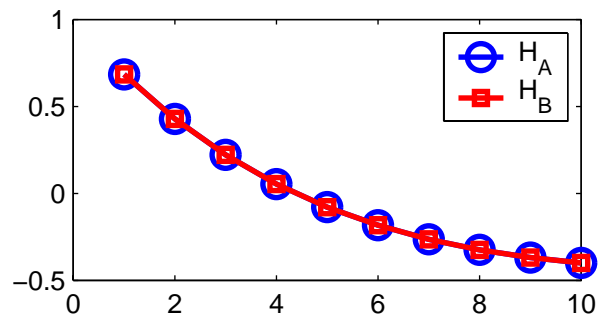
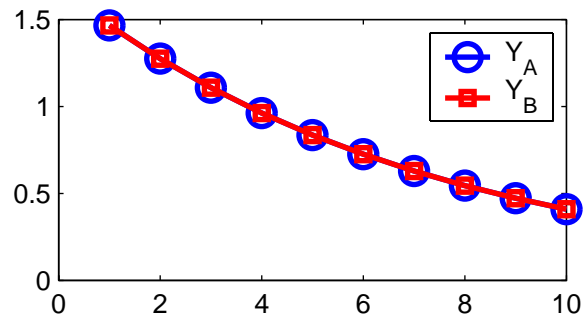
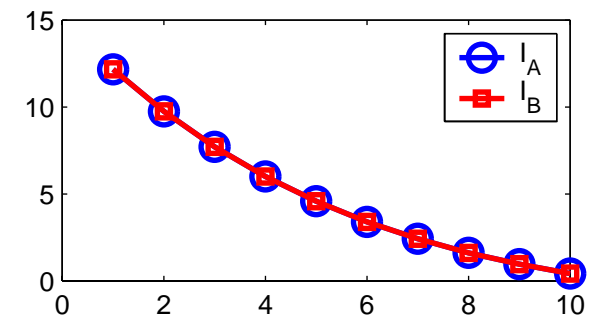
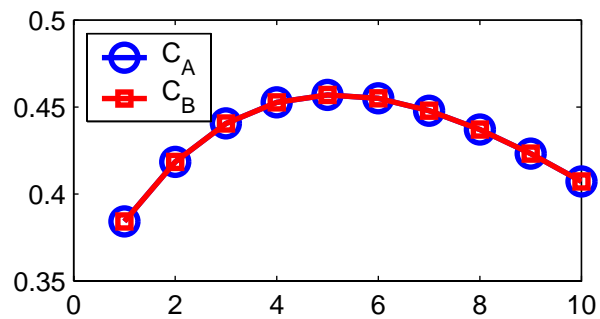
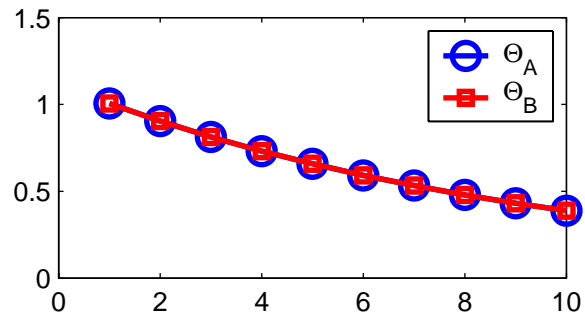
- We make the further simplifying assumption that preferences are separable in consumption and leisure ( $U_{12} = 0$ ).

## 3.2. Some Propositions

- Some propositions can be proved, that show the respective role of local/global/surprises/news in creating NBC and IBC.

**Result 1** *In response to global surprises ( $\theta_{A,t} = \theta_{B,t} \forall t$ ), equilibrium allocations are symmetrical. The model displays IBC. Under functional and parameters restrictions, the model also displays NBC.*

# World Technological Surprise

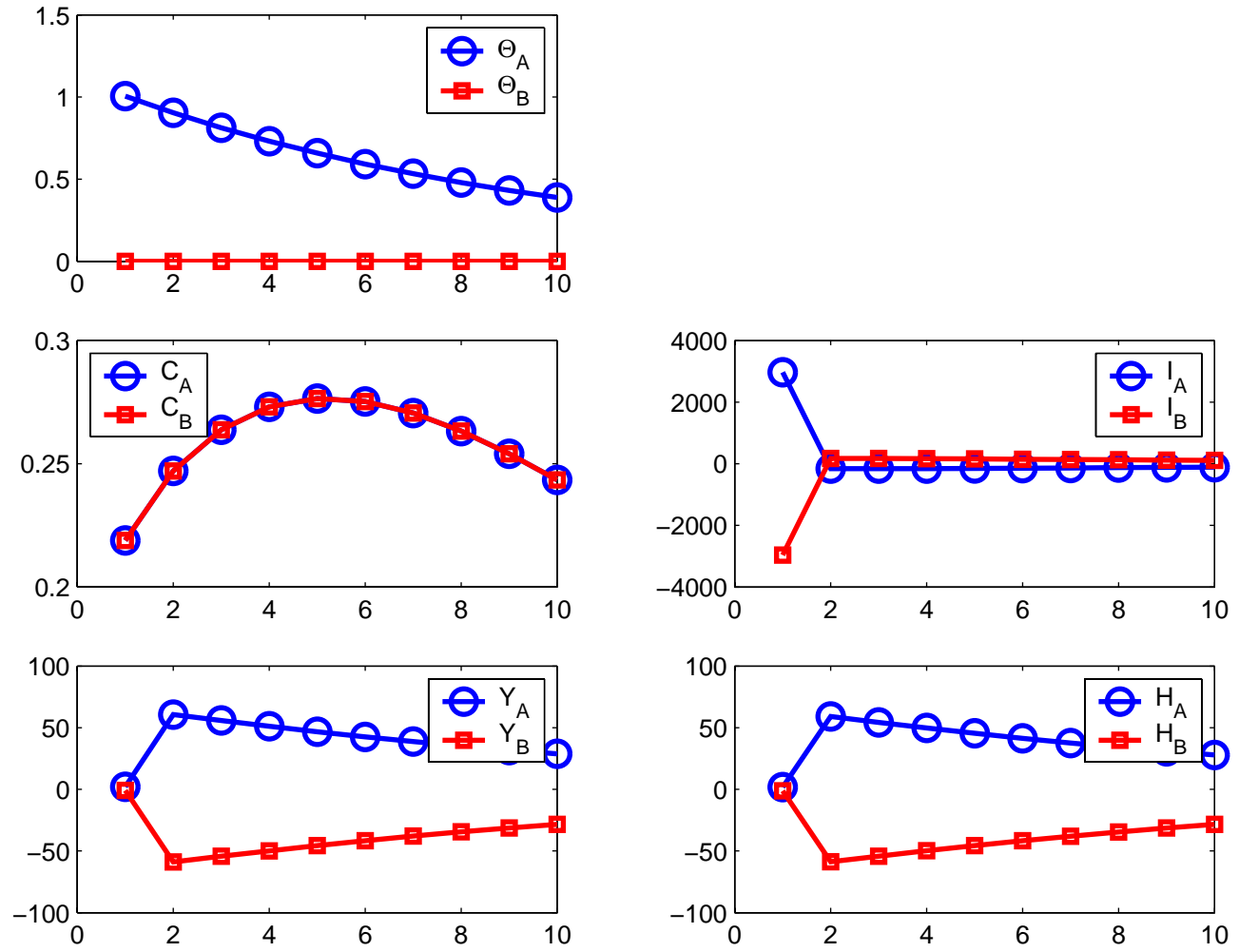


**Result 2** *If technology shocks are local and surprises ( $d\theta_{A,t} > 0$ ,  $d\theta_{B,t} = 0$  for some  $t$ ), then hours worked are not perfectly correlated across countries.*

*For realistic settings, hours and investments are negatively correlated. There is therefore no IBC and no NBC in the foreign country.*

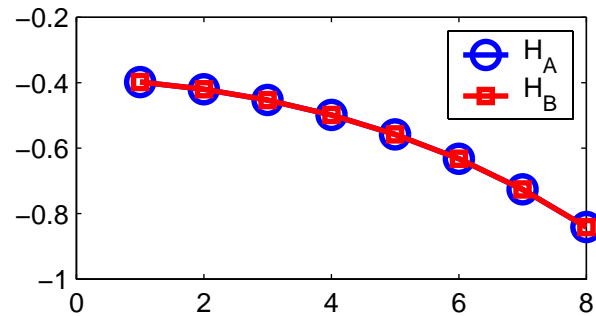
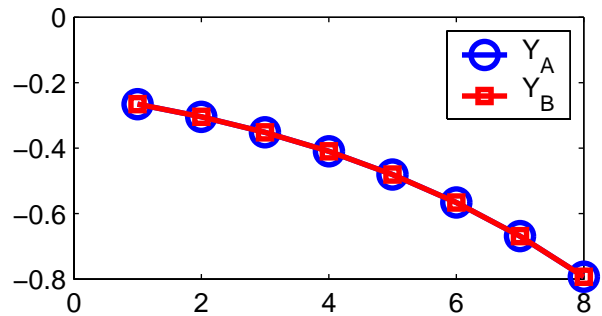
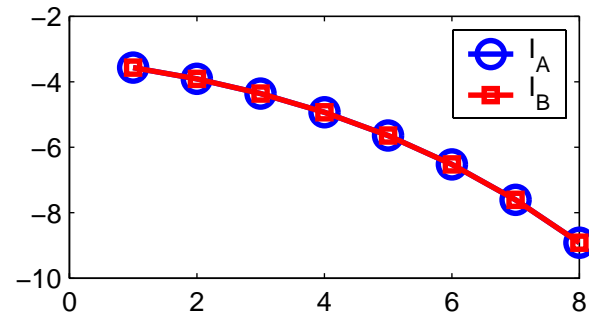
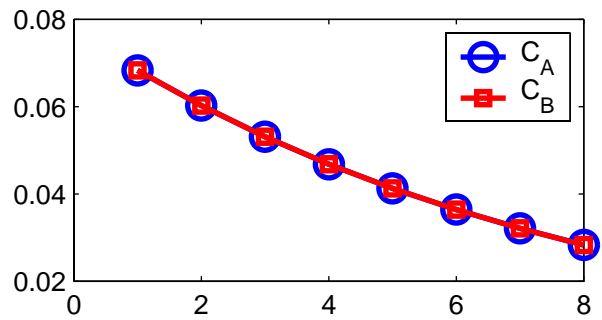
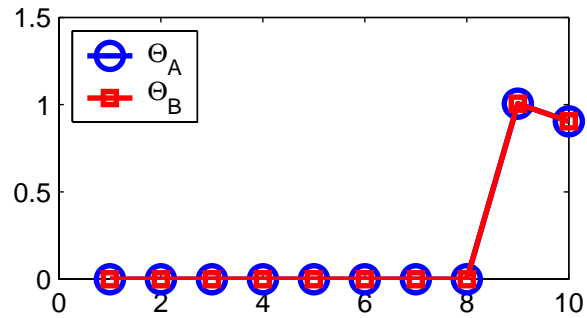


# Local Technological Surprise

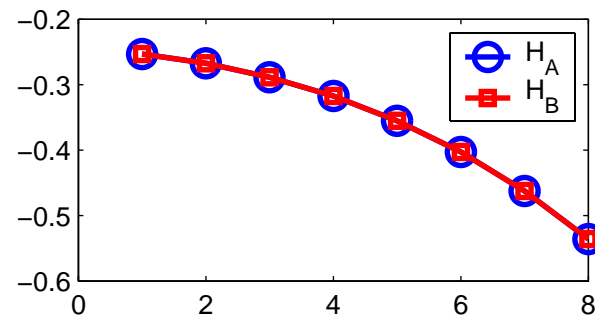
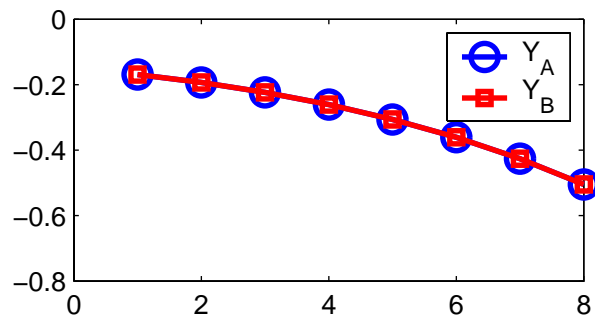
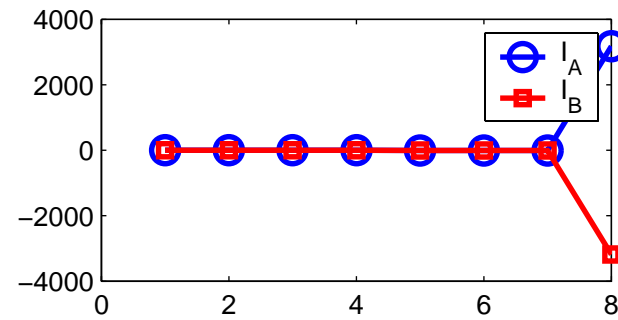
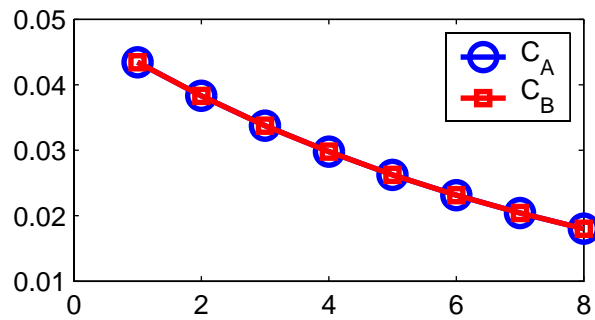
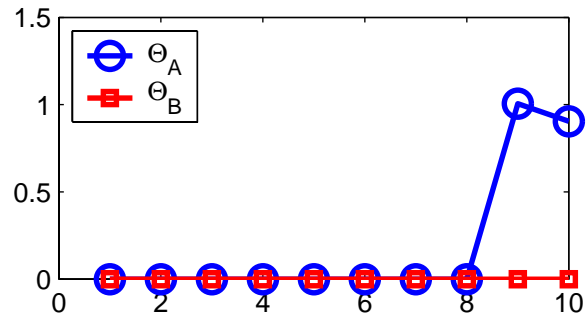


**Result 3** *If technology shocks are announced/forecastable  $N$  periods in advance, then allocations are symmetrical in the  $N - 1$  first periods of the interim period, for both world and local news  $\Rightarrow$  IBC. In the interim period, consumption and hours always move in opposite directions  $\Rightarrow$  no NBC.*

# (World) Technological News



## (Local) Technological News



### 3.3. What have we learned?

- News act as a demand shock, that bunch together economies, *even though* they are about local technological improvements
- But standard models cannot display NBC and IBC.
- We need an extended model.

## 4. A Two-Country Pigou Model

- We build on Beaudry & Portier [2004, jme] “Pigou model”

- Building blocks are :
  1. Two sectors for final use goods in each country: local consumption good and one local investment good (structure);
  2. two sectors of intermediate goods in each country: consumption-oriented and investment oriented;
  3. capital and labor are complementary in the consumption-oriented intermediate good (capital=structures);
  4. there are static gains to trade (Armington aggregators for consumption and investment);
  5. labor is the only variable factor in the production of the investment-oriented intermediate good.

## 4.1. Model

Final goods: 
$$C_{A,t} = \left[ bZ_{AA,t}^{\nu_C} + (1-b)Z_{BA,t}^{\nu_C} \right]^{\frac{1}{\nu_C}}$$

$$I_{A,t} = \left[ bX_{AA,t}^{\nu_I} + (1-b)X_{BA,t}^{\nu_I} \right]^{\frac{1}{\nu_I}}$$

$$K_{A,t+1} = (1-\delta)K_{A,t} + I_{A,t}$$

Intermediate goods: 
$$Z_{A,t} = \left[ a \left( \Theta_{A,t} \bar{H}_{A,Z}^{1-\varphi} H_{A,t}^\varphi \right)^\nu + (1-a)K_{A,t}^\nu \right]^{\frac{1}{\nu}}$$

$$X_{A,t} = \tilde{\Theta}_{A,t} \bar{K}_A^{1-\alpha_X - \beta_X} \bar{H}_{A,X}^{\beta_X} \tilde{H}_{A,t}^{\alpha_X}$$

Preferences: 
$$u_A = \left[ \ln c_{A,t} - \chi \left( h_{A,t} + \tilde{h}_{A,t} + \bar{h}_A \right) \right]$$

The country  $B$  economy is symmetric to country  $A$  one.



- No particular trick in the calibration except that we assume a lot of complementarity in the Armington aggregators (elasticity = 1/4)
- Steady technological growth in the investment good sector
- Shocks in the consumption good sector:

$$\Theta_{A,t} = \left(\Theta_{A,t-1}\right)^\rho e^{\varepsilon_{A,t}}$$

$$\Theta_{B,t} = \left(\Theta_{B,t-1}\right)^\rho e^{\varepsilon_{B,t}}$$

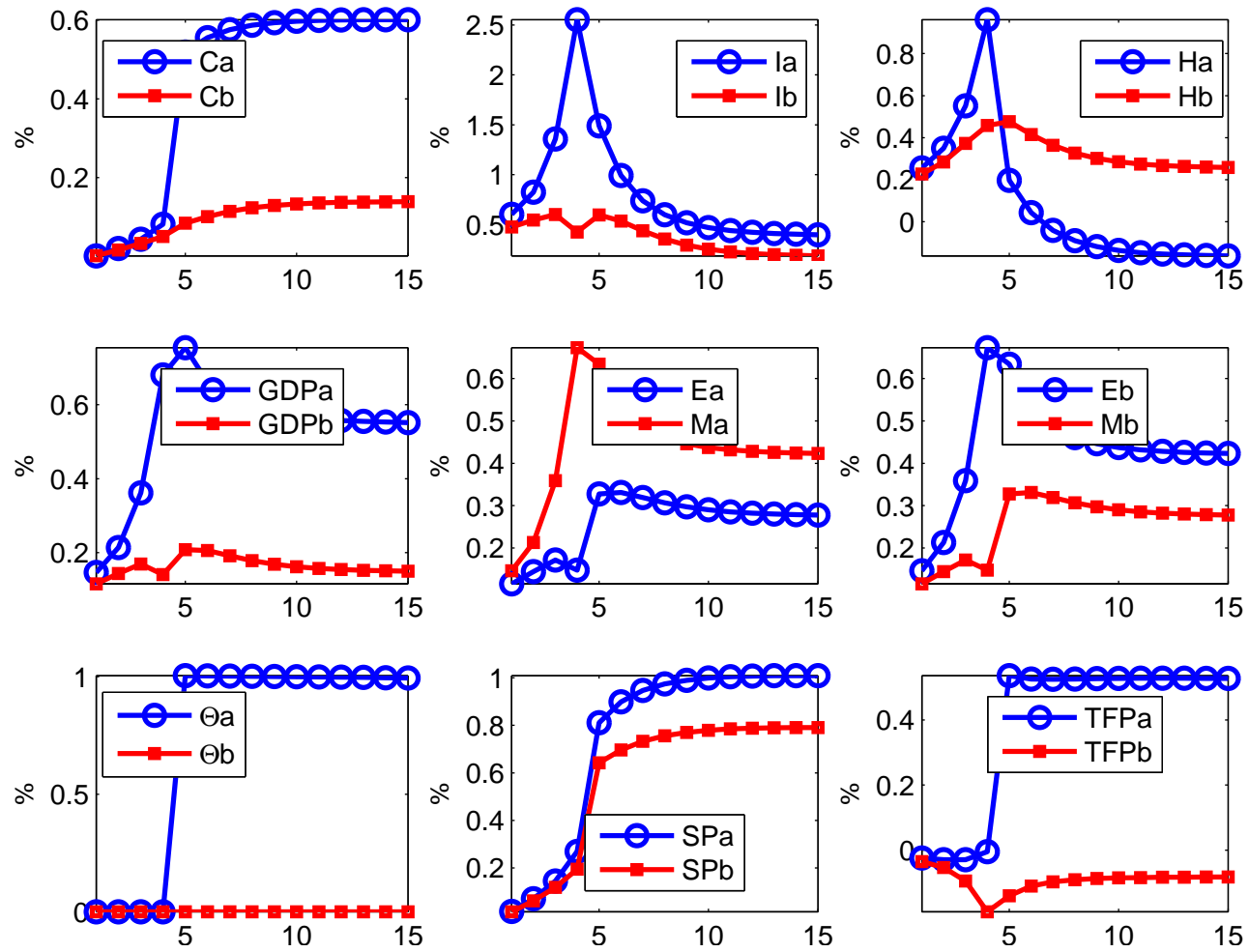
$$\varepsilon_{A,t} = \varepsilon_{A,t}^0 + \varepsilon_{A,t-1}^1 + \varepsilon_{A,t-2}^2 + \varepsilon_{A,t-3}^3 + \varepsilon_{A,t-4}^4$$

$$\varepsilon_{B,t} = \varepsilon_{B,t}^0 + \varepsilon_{B,t-1}^1 + \varepsilon_{B,t-2}^2 + \varepsilon_{B,t-3}^3 + \varepsilon_{B,t-4}^4$$

## *Two-country Pigou Model Parameters Values*

$N_a, N_b$	:	1
$a$	:	.06
$b$	:	.99
$\phi$	:	.6
$\nu$	:	-3.78
$\nu_C, \nu_I$	:	-3
$\alpha_X$	:	.97
$\beta_X$	:	0
$\chi$	:	.1225
$\delta$	:	.05
$\beta$	:	.999
$\Theta$	:	1
$\widetilde{\Theta}$	:	3

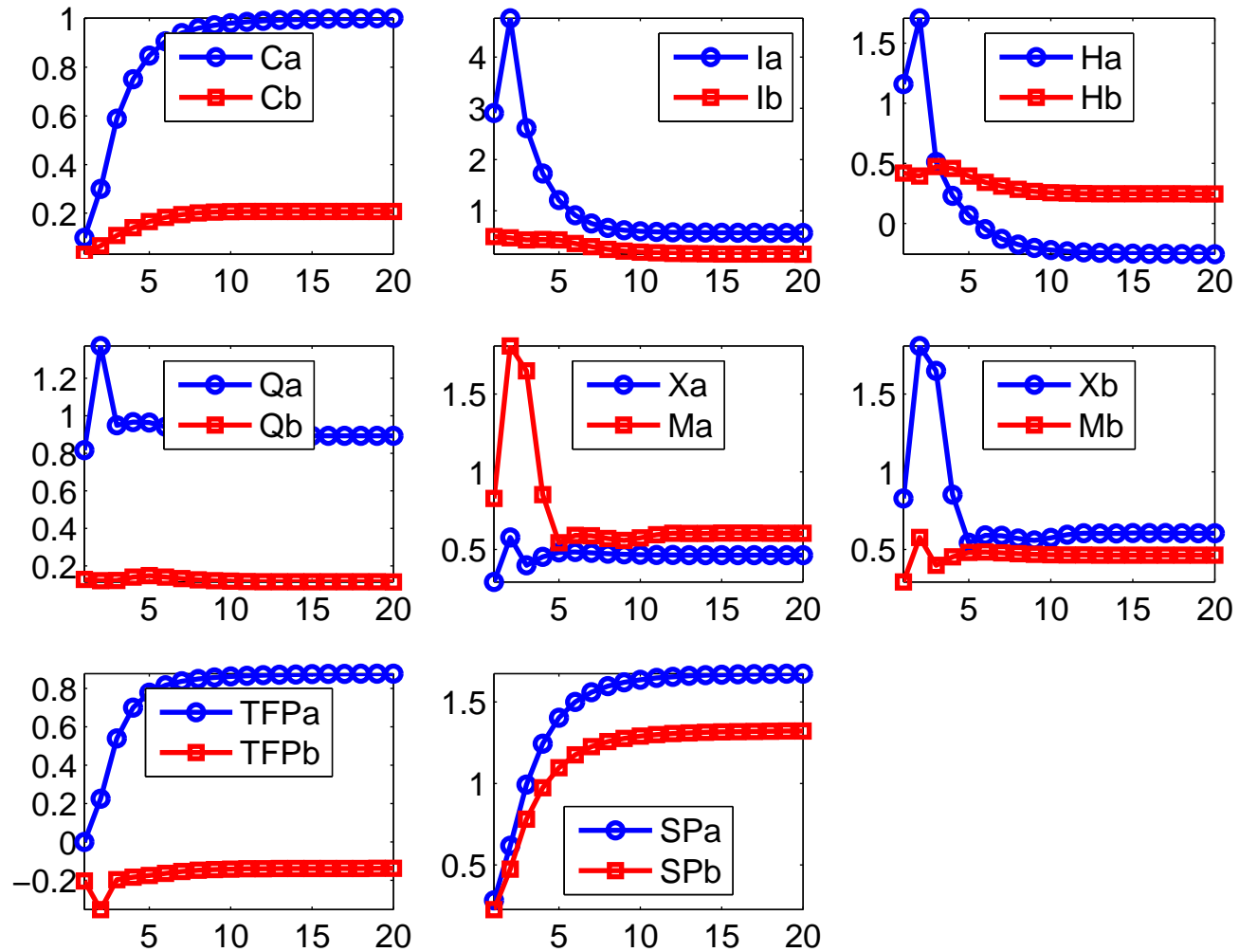
## 4.2. Result: Local Technological News to $\Theta_A$



### 4.3. Result: Identified Technological News to $\Theta_A$ (simulated VAR)

- Here we simulate the economy with only shocks in country  $A$  ( $B$  is “small” )
- We then estimate our VAR on model simulated data (repeated 1000 times)

*Response of A and B aggregates to a News on country A TFP*



## 5. To Sum Up

- News shocks are observed to create NBC and IBC.
- We have proposed an (almost standard) model that can account for these facts.