# Leaning Against the Credit Cycle* 

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## Motivation

- Recent monetary policy discussion: Emphasis on debt
- Credit typically moves gradually and persistently over time
- The "Credit cycle" (Aikman, Haldane and Nelson (2013), Drehman, Borio, Tsatsaronis (2012), etc.)
- Debt matters for the risk and cost of crises (Schularik and Taylor (2010))
- Svensson (2013): Interest rate hikes likely to raise debt-to-GDP ratio
- Do not address a high debt-to-GDP ration with high interest rates


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- Debt matters for the risk and cost of crises (Schularik and Taylor (2010))
- Svensson (2013): Interest rate hikes likely to raise debt-to-GDP ratio
- Do not address a high debt-to-GDP ration with high interest rates
- Problem: Standard DSGE models used for monetary policy analysis do not account well for debt dynamics
- Key assumption: One-quarter debt contract - all debt is fully amortized each period


## Households debt dynamics

## Standard model fails to capture the persistence in the data



## Our paper

- Develop a simple New Keynesian DSGE model with reasonable debt dynamics
- Collateral constraint (lacoviello (2005))
- Long term debt - only new loans constrained
- Study monetary policy in that environment
- What is the likely effect of an interest rate hike on the aggregate debt burden?
- What are the consequences of mechanically raising the interest rate in response to debt


## Our paper <br> Result preview

- Develop a simple New Keynesian DSGE model with reasonable debt dynamics
- Autocorrelation of debt closer to U.S. data
- Cross-correlations and lead-lag relationships of debt with inflation, house prices, interest rate and GDP closer to U.S. data
- Study monetary policy in that environment
- What is the likely effect of an interest rate hike on the aggregate debt burden?
- Short-run increase, medium-run decline
- What are the consequences of mechanically raising the interest rate in response to debt?
- Indeterminacy
- Debt more volatile
- Responding to debt growth preferable to debt level


## Related literature

- "Credit cycle": Drehman et al. (2012), Aikman et al. (2013), Strohsal et al. (2015), lacoviello (2015)
- Policy rate and debt-to-GDP: Svensson (2013), Laséen and Strid (2013), Robstad (2014), Alpanda and Zubairy (2015)
- Multiperiod debt model: Rubio (2011), Kydland et al. (2012), Justiniano et al. (2013), Gelain et al. (2015), Garriga et al. (2013), Calza et al. (2013), Brzoza-Brzezina et al. (2014), Andrées et al. (2014), Chen et al. (2013)
- Debt and inflation: Mason and Jayadev (2014), Gomes et al. (2014)


## Outline of the presentation

- Model
- Calibration
- Simulations
- Policy implications
- Conclusions


## Simple NK model with housing and long term debt

- Two households types: Savers (patient) Borrowers (impatient)
- Borrowers are subject to collateral constraint on new loans only
- Reduced form law of motion for amortization rate as in Kydland, Rupert, and Sustek (2012)
- Firms owned by savers
- Fixed supply of houses
- Calvo-pricing
- Habits and price indexation


## Borrowers problem

Borrowers maximize

$$
\max _{c_{b, t}, h_{b, t}, L_{b, t}, b_{b, t}, \delta_{t}} E_{0} \sum_{t=0}^{\infty} \beta_{b}^{t} U_{t}\left(c_{b, t} h_{b, t}, L_{b, t}\right)
$$

subject to the following constraints

$$
\begin{gathered}
c_{b, t}+q_{t} h_{b, t}+\frac{r_{t-1}+\delta_{t-1}}{\pi_{t}} b_{b, t-1}=w_{b, t} L_{b, t}+q_{t} h_{b, t-1}+l_{b, t} \\
b_{b, t}=\left(1-\delta_{t-1}\right) b_{b, t-1}+I_{b, t}, \quad \quad I_{b, t}=\text { New loans } \\
\delta_{t}=\left(1-\frac{l_{b, t}}{b_{b, t}}\right) \delta_{t-1}^{\alpha}+\frac{l_{b, t}}{b_{b, t}}(1-\alpha)^{\kappa} \\
\alpha \in[0,1) \text { and } \kappa>0 \text { are parameters. }
\end{gathered}
$$

## Payment schedule: Model vs. 30-year mortgage

 From Kydland, Rupert, and Sustek (2012), NBER Working Paper 18432.Solid line: Model. Dashed line: 30-year mortgage schedule.


## Borrowers problem (continued)

Borrowers maximize

$$
\max _{c_{b, t}, h_{b, t}, L_{b, t}, b_{b, t}, \delta_{t}} E_{0} \sum_{t=0}^{\infty} \beta_{b}^{t} U_{t}\left(c_{b, t} h_{b, t}, L_{b, t}\right)
$$

subject to the following constraints

$$
\begin{gather*}
c_{b, t}+q_{t} h_{b, t}+\frac{r_{t-1}+\delta_{t-1}}{\pi_{t}} b_{b, t-1}=w_{b, t} L_{b, t}+q_{t} h_{b, t-1}+l_{b, t}  \tag{1}\\
b_{b, t}=\left(1-\delta_{t-1}\right) b_{b, t-1}+l_{b, t}, \quad I_{b, t}=\text { New loans }  \tag{2}\\
\delta_{t}=\left(1-\frac{l_{b, t}}{b_{b, t}}\right) \delta_{t-1}^{\alpha}+\frac{l_{b, t}}{b_{b, t}}(1-\alpha)^{\kappa} \tag{3}
\end{gather*}
$$

NB! 1 and 2 imply:
$c_{b, t}+q_{t}\left(h_{b, t}-h_{b, t-1}\right)=w_{b, t} L_{b, t}+b_{b, t}-\frac{R_{t-1}}{\pi_{t}} b_{b, t-1}, \quad \quad R_{t}=1+r_{t}$

## Borrowers problem (continued)

Collateral constraint

Why does $\delta_{t}$ matter?

$$
I_{t} \leq m \underbrace{\left.\frac{E_{t}\left[q_{t+1} \pi_{t+1}\right] h_{b, t}}{R_{t}}-b_{b, t}\right]}
$$

Next period home equity.
which combined with equation 2 in the previous slide (i.e. debt law of motion) gives

$$
b_{b, t}=\frac{m}{1+m} \frac{E_{t}\left[q_{t+1} \pi_{t+1}\right] h_{b, t}}{R_{t}}+\frac{1-\delta_{t-1}}{1+m} \frac{b_{b, t-1}}{\pi_{t}}
$$

- Debt $b_{b, t}$ becomes persistent
- Relation between debt $b_{b, t}$ and expected inflation $E_{t}\left[\pi_{t+1}\right]$ changes with respect to the 1-quarter model


## Model parameter values

- Steady state targets
- Share of liquidity constrained, relative hours worked and relative labor incomes in Justiniano, Primiceri and Tambalotti (2013) ( $n, v_{l, l, v} v_{l, b}, \infty$ )
- Ratio of housing wealth to yearly consumption in laccoviello and Neri (2010) ( $v_{h}$ )
- Approximate 30 -year annuity loan contract, as in Kydland, Rupert, Sustek (2013) ( $\kappa, \alpha$ )

| Parameters Value |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\beta_{l}$ | 0.99 | $\varphi$ | 1 | $\varepsilon$ | 6 | $m$ | 0.0446 |
| $\beta_{b}$ | 0.97 | $\epsilon$ | 0.5 | $\theta$ | 0.75 | $\rho_{z}$ | 0.9 |
| $v_{h}$ | 0.0839 | $n$ | 0.61 | $\iota$ | 0.5 | $\rho_{c p}$ | 0.9 |
| $v_{l, l}$ | 0.1055 | $\omega$ | 0.5 | $\kappa$ | 1.0487 | $\phi_{\pi}$ | 1.5 |
| $v_{l, b}$ | 0.2218 | $\xi$ | 0.33 | $\alpha$ | 0.0059 | $\phi_{y}$ | 0.75 |

# Moments comparison: U.S. data vs. baseline model <br> Baseline model fits debt-to-GDP autocorrelation better than the 1-quarter model 

| Moment | Data | 30-year model | 20-year model | 1-quarter model |
| :---: | :---: | :---: | :---: | :---: |
| B/Y autocorrelation 1 | 0.9940 | 0.9979 | 0.9975 | 0.9544 |
| B/Y autocorrelation 2 | 0.9818 | 0.9929 | 0.9913 | 0.9231 |
| B/Y autocorrelation 3 | 0.9642 | 0.9855 | 0.9820 | 0.8970 |

Simulations are done with tfp shock only and data are linearly detrended.

## Moments comparison: U.S. data vs. baseline model

Baseline model fits cross-correlations better than the 1-quarter model


Correlation between variable $X$ at time $t$ and household debt and time $t+k$.

## Monetary policy shock



## Debt response to monetary policy shock <br> Debt-to-GDP increases significantly only if the loan duration is long enough



Debt/GDP 10-year model



Debt/GDP 20-year model

Debt/GDP 5-year model


## Policy Implications

- Svensson 2013: Higher policy rate increases the debt burden - therefore it is wrong to use monetary policy to stabilize debt.
- But: Even if a higher policy rate increases the stock of real debt, the policy implication is unclear
- The question: What are the consequences of letting the interest rate systematically respond to debt?
- Simple policy rule

$$
R_{t}=(1+r) \pi_{t}^{\phi_{\pi}}\left(\frac{b_{b, t}}{\bar{b}_{b}}\right)^{\phi_{b}}
$$

## Determinacy analysis - reacting to the real debt level






$$
b_{b, t}=\frac{m}{1+m} \frac{E_{t}\left[q_{t+1} \pi_{t+1}\right] h_{b, t}}{R_{t}}+\frac{1-\delta_{t-1}}{1+m} \frac{b_{b, t-1}}{\pi_{t}}
$$

## Reacting to Debt Level vs Debt Growth, 30-year model



## Conclusions

- A tractable model with realistically gradual amortization process captures persistent nature of debt dynamics à la "credit cycle"
- Other macro variables unaffected by debt dynamics unless monetary policy emphasizes debt
- Monetary policy implications
- Policy tightening likely to raise households' debt burden in the short run (à la Svensson)
- but also likely to reduce the debt burden in the medium run
- Mechanically increasing the interest rate in response to debt (or debt-to-GDP) level causes equilibrium indeterminacy
- Opposite under 1-quarter model
- Destabilizes debt itself
- Better to respond to debt growth

