

Falling Natural Rates, Rising Housing Volatility and the Optimal Inflation Target

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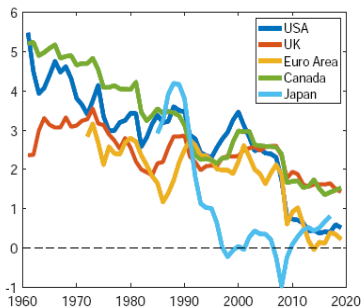
- Four **unfavorable macro trends** in advanced economies:
 - (1) secular decline in growth rates (Summers (2014))
 - (2) secular decline in natural interest rates (Holston et al. (2017))
 - (3) upward trend in the volatility of housing prices (**NEW**)
 - (4) upward trend in the *volatility* of natural rates (**NEW**)

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- Common cause linking all four macro trends?

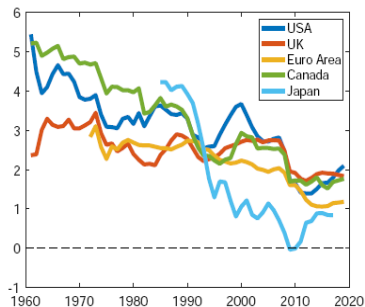
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- Monetary policy implications of these macro trends?

Known trends: lower growth & natural rates

(a) Natural Rates of Interest



(b) Long-Term Growth Rates

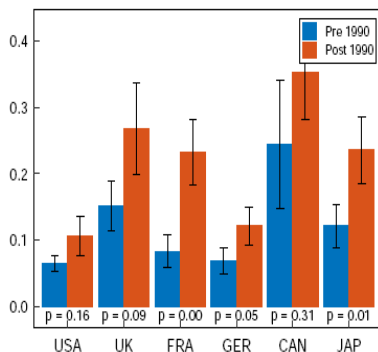


Source: Holston et al. (2017) and Fujiwara et al. (2016)

Rising housing volatility & natural rate volatility

- Macro volatility changes difficult to measure:
 - few observations
 - persistent variables, e.g., price-to-rent ratio
- Compare volatility changes over long time periods
~1960-1990 versus 1990-2020

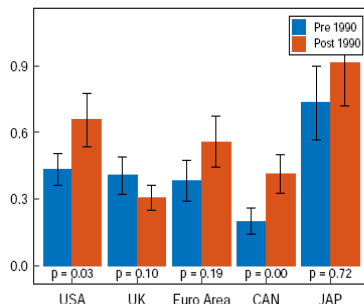
Rising Std. Deviation of the Price-to-Rent Ratio



Source: OECD database. The black lines denote the 90%-confidence bands. The p -values are for the null hypothesis the standard deviation has not changed pre to post 1990.

Rising Std. Deviation of the Natural Rate

Figure 2: Volatility of Natural Rates



Source: Holston et al. (2017) and Fujiwara et al. (2016) (natural rate estimates). The black lines denote the 90%-confidence bands. The reported p -values are for the null hypothesis that volatility has not changed from pre to post 1990.

- Present a macro model linking these trends:
 - lower growth rates \Rightarrow lower average natural rates
 - lower natural rates \Rightarrow vola of housing prices & natural rates \uparrow
 - complicates monetary stabilization: lower bound on nominal rates

Contributions of the paper

- Present a macro model linking these trends:
 - lower growth rates \Rightarrow lower average natural rates
 - lower natural rates \Rightarrow vola of housing prices & natural rates \uparrow
 - complicates monetary stabilization: lower bound on nominal rates
- Determine
 - optimal MP with **lower bound constraint on nominal rates**

Main Findings

- Consider NK model with housing sector, lower bound, and **subjective housing price beliefs** (other beliefs rational)

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- Extrapolative behavior in asset price & other forecasts, e.g., Adam, Marcet & Beutel (AER, 2017)
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Subjective beliefs match forecast error structure

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Subjective beliefs match forecast error structure
- RE hypothesis inconsistent with Michigan forecasts

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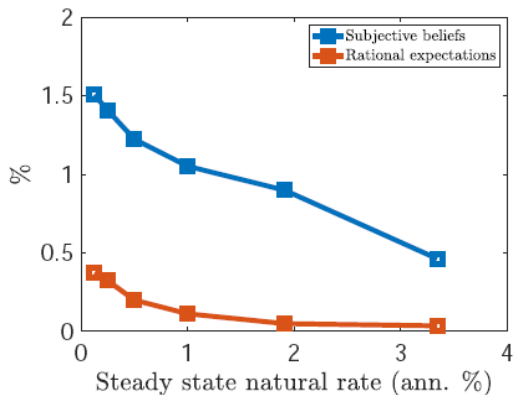
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- More volatile housing price expectations
 \Rightarrow more volatile (subjective) plans for non-housing consumption
 \Rightarrow interest rates restoring (objectively) optimal cons. more volatile
- Rational housing expectations:
No volatility increase in natural rates from lower av. natural rates

The Optimal Inflation Target



Structure of Presentation

- ① NK model with housing & lower bound constraint
- ② Optimal policy problem & economic mechanisms

- Representative HH:

$$\max E_0^{\mathcal{P}} \sum_{t=0}^{\infty} \beta^t \left[\tilde{u}(C_t; \xi_t) - \int_0^1 \tilde{v}(H_t(j); \xi_t) dj + \tilde{\omega}(D_t + D_t^R; \xi_t) \right]$$

s.t. :

$$C_t + B_t + (D_t - (1 - \delta)D_{t-1})q_t + k_t + R_t D_t^R = \\ \tilde{d}(k_t; \xi_t)q_t + \int_0^1 w_t(j)H_t(j)dj + \frac{B_{t-1}(1 + i_{t-1})}{\Pi_t} + \frac{\Sigma_t + T_t}{P_t}$$

- \mathcal{P} : subjective housing price beliefs, otherwise rational beliefs

- Model formulated in terms of growth-detrended variables
- Discount rate β jointly captures:
 - pure time preference rate $\tilde{\beta} \in (0, 1)$
 - the **steady-state growth rate** g_c of marginal utility.

$$\beta \equiv \tilde{\beta} \frac{\tilde{u}_C(C(1 + g_c))}{\tilde{u}_C(C)},$$

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- **Growth rate g_c falls \Rightarrow discount rate β increases**
- **Decline in growth & natural rate captured via increase in β**

- Internally rational households & firms (Adam&Marcet (JET, 2011))
- HHs choose $\{C_t, H_t(j), D_t, D_t^R, k_t, B_t\}_{t=0}^{\infty}$ to maximize utility subject to the budget constraints
- Beliefs about variables beyond their control given by \mathcal{P} :
 $\{P_t, w_t(j), q_t^u, R_t, i_t, \Sigma_t/P_t, T_t/P_t\}$, where
 $q_t^u \equiv q_t \tilde{u}_C(C; \tilde{\zeta}_t)$ is housing price in marginal utility units

NK Model: Household Optimality Conditions

- Set of standard FOCs: labor-leisure choice, cons. Euler EQ

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- 3 new optimality conditions:

$$\text{Optimal housing demand} \quad : \quad q_t^u = \tilde{\zeta}_t^d + \beta(1 - \delta) E_t^{\mathcal{P}} q_{t+1}^u$$

$$\text{Optimal housing investment:} \quad k_t = \left(A_t^d q_t^u \frac{C_t^{\tilde{\sigma}-1}}{\tilde{C}_t^{\tilde{\sigma}-1}} \right)^{\frac{1}{1-\tilde{\alpha}}}$$

$$\text{Purchase vs. renting margin:} \quad \tilde{\zeta}_t^d = R_t \tilde{u}_C(C_t, \tilde{\zeta}_t)$$

- Supply side standard:
 - differentiated goods with Calvo price stickiness $\alpha \in (0, 1)$
 - Dixit-Stiglitz aggregation
- Standard firm FOCs for optimal reset price: Phillips curve
- **New feature:** wage/marginal costs depend on housing prices

Structure of Presentation

- ① New Keynesian model with housing & lower bound constraint
- ② **Optimal policy problem & economic mechanisms**

Nonlinear Optimal Policy Problem

$$\begin{aligned} & \max_{\{Y_t, q_t^u, p_t^*, w_t(j), P_t, \Delta_t, i_t \geq 0\}} E_0 \sum_{t=0}^{\infty} \beta^t U(Y_t, \Delta_t, q_t^u; \xi_t) \\ \left(\frac{p_t^*}{P_t}\right)^{1+\eta(\phi-1)} &= \frac{E_t^{\mathcal{P}} \sum_{T=t}^{\infty} (\alpha)^{T-t} Q_{t,T} \frac{\eta \phi w_T(j)}{\eta-1} \left(\frac{Y_T}{A_T}\right)^{\phi} \left(\frac{P_T}{P_t}\right)^{\eta\phi+1}}{E_t^{\mathcal{P}} \sum_{T=t}^{\infty} (\alpha)^{T-t} Q_{t,T} (1-\tau_T) Y_T \left(\frac{P_T}{P_t}\right)^{\eta}} \\ (P_t/P_{t-1})^{\eta-1} &= (1 - (1-\alpha)(p_t^*/P_t)^{1-\eta})/\alpha \\ \Delta_t &= h(\Delta_{t-1}, P_t/P_{t-1}) \\ w_t(j) &= \lambda \frac{\bar{H}_t^{-\nu}}{\bar{C}_t^{\bar{\sigma}-1}} \left(\frac{Y_t}{A_t}\right)^{\phi\nu} C(Y_t, q_t^u, \xi_t)^{\bar{\sigma}-1} \left(\frac{p_t^*}{P_t}\right)^{-\eta\phi\nu} \\ \tilde{u}_C(C(Y_t, q_t^u, \xi_t); \xi_t) &= \lim_{T \rightarrow \infty} E_t^{\mathcal{P}} \left[\tilde{u}_C(C_T; \xi_T) \beta^T \prod_{k=0}^{T-t} \frac{1+i_{t+k}}{P_{t+k+1}/P_{t+k}} \right] \\ q_t^u &= \xi_t^d + \beta(1-\delta) E_t^{\mathcal{P}} q_{t+1}^u \end{aligned}$$

Optimal Policy with Lower Bound Constraint

- Can derive insightful LQ approx. to nonlinear policy problem
- Helps understanding stabilization trade-offs for output & inflation

Optimal Policy with Lower Bound Constraint

$$\max_{\{\pi_t, y_t^{gap}, i_t \geq i\}} -E_0 \sum_{t=0}^{\infty} \beta^t \frac{1}{2} \left(\Lambda_{\pi} \pi_t^2 + \Lambda_y (y_t^{gap})^2 + \Lambda_q (\hat{q}_t^u - \hat{q}_t^{u*}) \right)$$

s.t. :

$$\pi_t = \beta E_t \pi_{t+1} + \kappa_y y_t^{gap} + \kappa_q (\hat{q}_t^u - \hat{q}_t^{u*}) + u_t$$

$$y_t^{gap} = \lim_T E_t y_T^{gap} - \varphi E_t \sum_{k=0}^{\infty} \left(i_{t+k} - \pi_{t+1+k} - r_{t+k}^{n, RE} \right)$$

$$- \frac{C_q}{C_y} (\hat{q}_t^u - \hat{q}_t^{u*})$$

+ Equation(s) determining $(\hat{q}_t^u - \hat{q}_t^{u*})$

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Optimal Policy with Lower Bound Constraint

$$\max_{\{\pi_t, y_t^{gap}, i_t \geq \bar{i}\}} -E_0 \sum_{t=0}^{\infty} \beta^t \frac{1}{2} \left(\Lambda_{\pi} \pi_t^2 + \Lambda_y (y_t^{gap})^2 + \Lambda_q (\hat{q}_t^u - \hat{q}_t^{u*}) \right)$$

s.t. :

$$\pi_t = \beta E_t \pi_{t+1} + \kappa_y y_t^{gap} + \underbrace{\kappa_q}_{<0} (\hat{q}_t^u - \hat{q}_t^{u*}) + u_t$$

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Possibility for non-inflationary housing price booms.

Optimal Policy with Lower Bound Constraint

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Optimal Policy with Lower Bound Constraint

- Under RE, HP fluctuations efficient:

$$\hat{q}_t^u = \hat{q}_t^{u*}$$

- Under RE:

Optimal policy problem same as in standard NK model (w/o housing) and ZLB

- Assumption of rational HP price expectations rejected by Michigan survey data...

Housing Prices and Subjective Beliefs

- Consider Michigan Survey on HP expectations (2007-2019)
- Coibion-Gorodnichenko (AER, 2015) regressions

$$HP_{t+4} - E_t^{\mathcal{P}} [HP_{t+4}] = \alpha_{CG} + \beta_{CG} \left(E_t^{\mathcal{P}} [HP_{t+4}] - E_{t-1}^{\mathcal{P}} [HP_{t+4}] \right) + \epsilon_t$$

With RE: $\beta_{CG} = 0$

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- Adam, Marcet & Beutel (AER, 2017) regressions

$$HP_{t+4} - E_t^{\mathcal{P}} [HP_{t+4}] = \alpha_{AMB} + \beta_{AMB} HP_t + \epsilon_t$$

With RE: $\beta_{AMB} = 0$

Table: Regression Results, Michigan Survey

	2007 - 2019	2010 - 2019
β_{CG}	2.14*** (0.540)	1.54*** (0.509)
β_{AMB}	-0.36** (0.147)	-0.08 (0.109)

- Subjective perceptions on HP growth (Adam, Marcet & Nicolini (2016))

$$q_t^u / q_{t-1}^u = b_t + \varepsilon_t,$$

$\varepsilon_t \sim iiN(0, \sigma_\varepsilon^2)$ an unobserved **transitory component**

b_t is an unobserved **persistent component** given by

$$b_t = b_{t-1} + v_t,$$

with $v_t \sim iiN(0, \sigma_v^2)$

Housing Prices and Subjective Beliefs

- With conjugate normal prior about unobserved b_t
- Subjective capital gain expectations

$$E_t^{\mathcal{P}} (q_{t+1}^u / q_t^u) = \beta_t,$$

given by Kalman filter

$$\beta_t = \beta_{t-1} + \frac{1}{\alpha} (q_{t-1}^u / q_{t-2}^u - \beta_{t-1})$$

$1/\alpha$: Kalman gain

Housing Prices and Subjective Beliefs

Table: Forecast errors: subj. belief model versus data

	2007 - 19	2010 - 19	steady-state natural rate			
			3.34%	1.91%	1%	0.25%
β_{CG}	2.14*** (0.540)	1.54*** (0.509)	0.74	1.24	1.85	2.31
β_{AMB}	-0.36** (0.147)	-0.08 (0.109)	-0.07	-0.08	-0.10	-0.15

Housing Prices and Subjective Beliefs

- Equilibrium housing price

$$\begin{aligned}q_t^u &= \bar{\zeta}_t^d + \beta(1 - \delta)E_t^{\mathcal{P}} q_{t+1}^u = \bar{\zeta}_t^d + \beta(1 - \delta)\beta_t q_t^u \\ \implies q_t^u &= \frac{\bar{\zeta}_t^d}{1 - \beta(1 - \delta)\beta_t}\end{aligned}$$

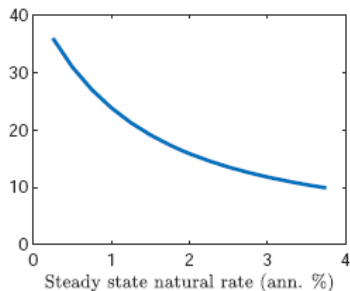
- This equation & belief updating equation determine HP dynamics

- Equilibrium housing price

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- This equation & belief updating equation determine HP dynamics
- Lower growth rates/natural rates (higher disc. factor β):
Housing prices more sensitive to belief revisions $\beta_t!$

Figure 5: Unconditional standard deviation of housing prices q_t^u



Optimal Policy with Lower Bound Constraint

$$\max_{\{\pi_t, y_t^{gap}, i_t \geq i\}} -E_0 \sum_{t=0}^{\infty} \beta^t \frac{1}{2} \left(\Lambda_{\pi} \pi_t^2 + \Lambda_y (y_t^{gap})^2 \right)$$

s.t. :

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$$\underbrace{-\frac{C_q}{C_y}}_{>0} (\hat{q}_t^u - \hat{q}_t^{u*})$$

$$\text{Given } \{\hat{q}_t^u - \hat{q}_t^{u*}\}_{t=0}^{\infty}$$

- Volatility of housing price gap \Rightarrow volatility of natural rate!

Optimal Policy with Lower Bound Constraint

- Natural rate: real rate consistent with stable output gap
- The natural rate under subjective beliefs:

$$r_t^n \equiv r_t^{n,RE} - \underbrace{\frac{1}{\varphi} \frac{C_q}{C_Y}}_{>0} ((\hat{q}_t^u - \hat{q}_t^{u*}) - E_t(\hat{q}_{t+1}^u - \hat{q}_{t+1}^{u*}))$$

- More volatile housing prices (say due to lower average natural rate)
=> more volatile natural rate!

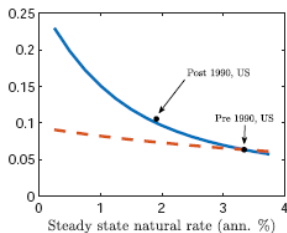
- Calibrate the model to match the pre-1990
 - (1) average natural rate
 - (2) volatility of the natural rate
 - (3) volatility of price-to-rent ratio
- Do this for the RE model and the Subj. Belief model
- What happens as natural rate falls to post-1990 average (or lower):
 - increase in the discount factor β
 - may reflect lower steady-state growth

Model Calibration

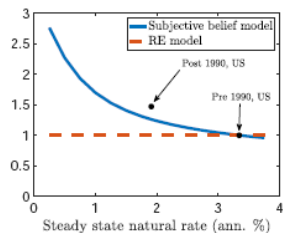
Parameter	Value	Source/Target
<i>Preferences and technology</i>		
β	0.9917	Average U.S. natural rate pre 1990
φ	1	Adam and Billi (2006)
κ_y	0.057	Adam and Billi (2006)
$\frac{\Lambda_y}{\Lambda_r}$	0.007	Adam and Billi (2006)
κ_g	-0.0023	Adam and Woodford (2020)
$\frac{C_g}{C_Y}$	-0.29633	Adam and Woodford (2020)
s^d	15%	Adam and Woodford (2020)
δ	0.03/4	Adam and Woodford (2020)
<i>Exogenous shock processes</i>		
ρ_{r^n}	0.8	Adam and Billi (2006)
σ_{r^n}	0.2940% (RE)	Adam and Billi (2006)
	0.1394% (subj beliefs)	
ρ_{ξ^d}	0.99	Adam and Woodford (2020)
σ_{ξ^d}	0.0233 (RE)	Std. dev. of price-to-rent ratio pre 1990
	0.0165 (subj. beliefs)	
<i>Subjective belief parameters</i>		
α	1/0.007	Adam et al. (2016)
β^U	1.0031	Max percent deviation of PR-ratio from mean

Model: Non-targeted Moments

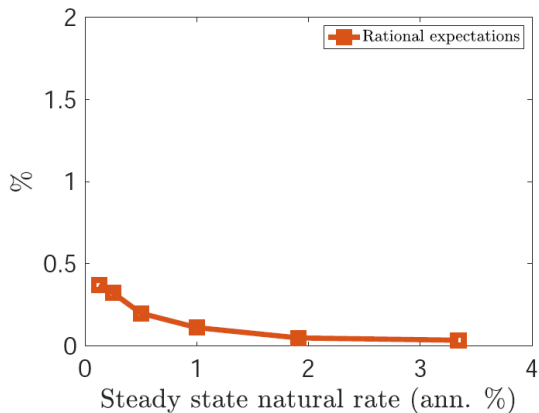
(a) Standard deviation of price-to-rent ratio
(relative to corresponding mean)



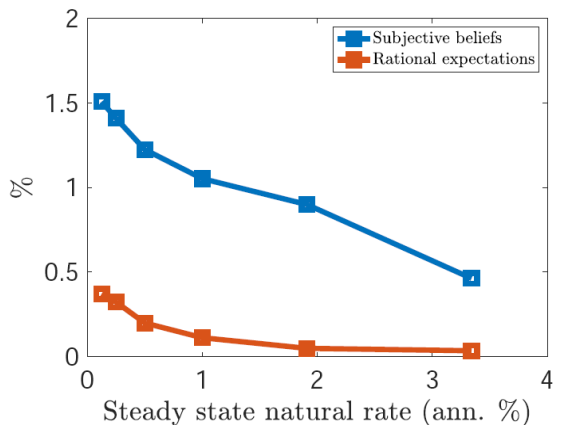
(b) Standard deviation of the natural rate
relative to case with $\bar{r}^{n,RE} = 3.34\%$



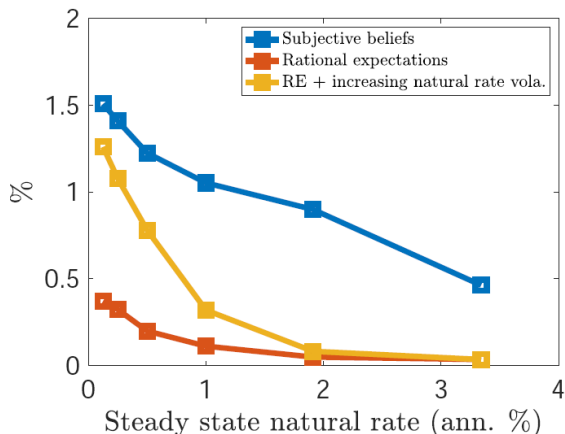
Average Inflation under Optimal Monetary Policy



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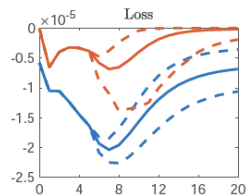
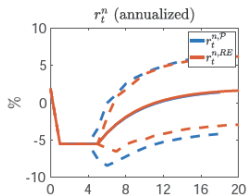
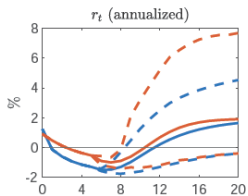
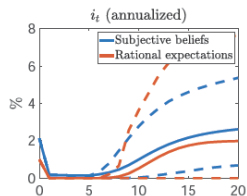
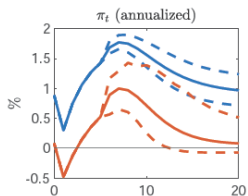
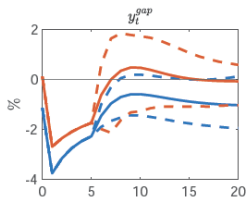
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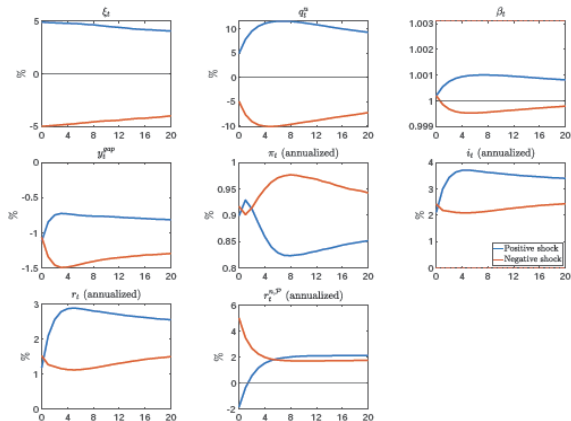
Impulse Response Analysis for ZLB Event

- Start economy in period 0 at ergodic mean of state variables
- 6 quarters negative natural rate that puts RE economy to ZLB & no other shocks
- After quarter 6: all shocks move again according to their stochastic laws of motion
- Show the mean response: average over all paths
- Show the 1% and 99% percentile of the response distribution
- Put the same shocks into the subjective belief model

Impulse Response Analysis for ZLB Event



(Asymmetric) Leaning Against Housing Demand Shocks



Std. Deviation of the Price-to-Rent Ratio

(a) Standard Deviation of the Price-to-Rent Ratios for Different Sample Splits.

